

Mighty Maths for Mighty Maths for 8-10 year olds - Master Mathematician Book 3 More Success with Mathematics Author, K. Freeman

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#### HOW CAN YOU HELP YOUR CHILD IN MATHEMATICS?

As you progress through the school years, mathematics becomes slightly more complex but even more fascinating. There are many new concepts to learn, however being able to master the basics is still the key to developing confidence and being able to progress further.

This orange Mighty Maths series, Master Mathematician, introduces a number of new concepts such as adding and subtracting larger numbers, arithmetic order of operation and integers. Other topics such as number, decimals and fractions are expanded upon. The work is progressively more challenging and new concepts are introduced in each book at various points.

To help reinforce mathematical skills as well as to maintain motivation, the same type of question is asked in different ways and contexts. Don't worry if your child cannot understand one of the concepts. Quite often that same concept will be introduced in a different way later on in the book. If your child becomes comfortable with a particular way of solving a problem then let them carry on using this method.

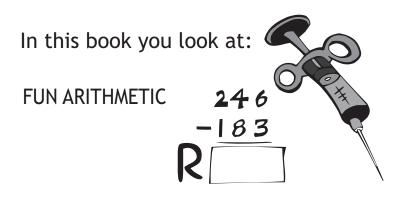
A common question that is asked of mathematics teachers is whether a child should use a calculator at this stage of their learning. It is important that they learn and understand each basic concept and the underlying principles. Once that is achieved then there is a case for using the calculator so that they can further explore ways of solving the same problem and therefore increasing their understanding a lot quicker.

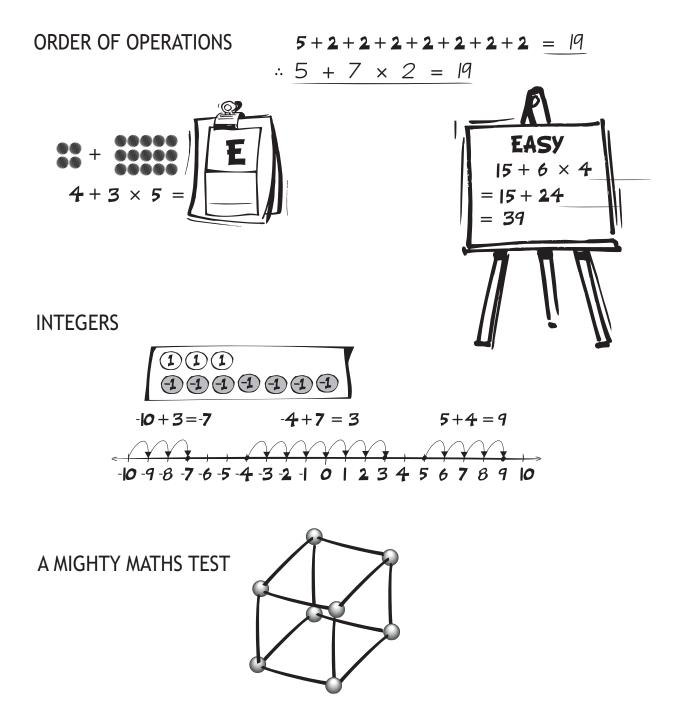
This specific book covers fun arithmetic, arithmetic order of operations, integers and integer arithmetic. There are then pages on fractions, decimals, percentages, square and square roots, perimeter, area, volume and probability. Finally there is a Mighty Maths test which is aimed at the 8 - 10 year old level of achievement.

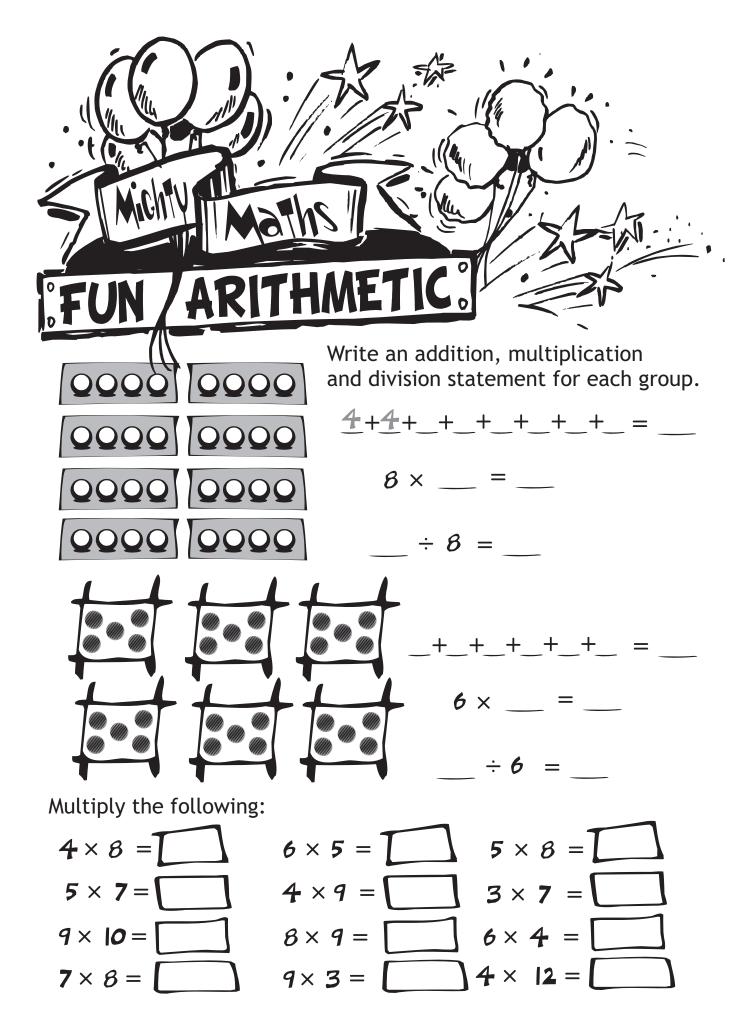
For best results:

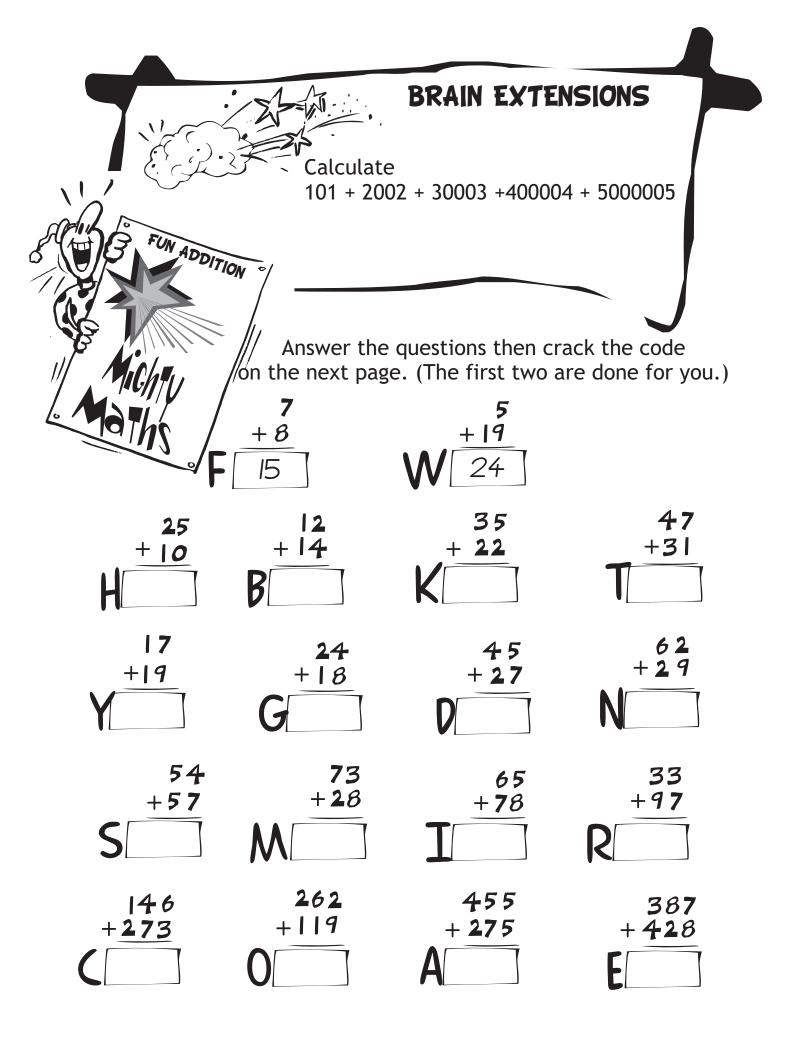
- Go over the pages that your child will work on and familiarise yourself with the exercises. Make sure your children understand the different concepts. Try and explain what is happening on each of the pages.
- Encourage your children to write neatly. Many errors in solving mathematics problems can be traced back to sloppy number writing.
- Provide help immediately when needed. Mathematics is a subject in which everything builds upon what has been previously learned. For example, a failure to understand fractions and decimals will lead to problems later with percentages.

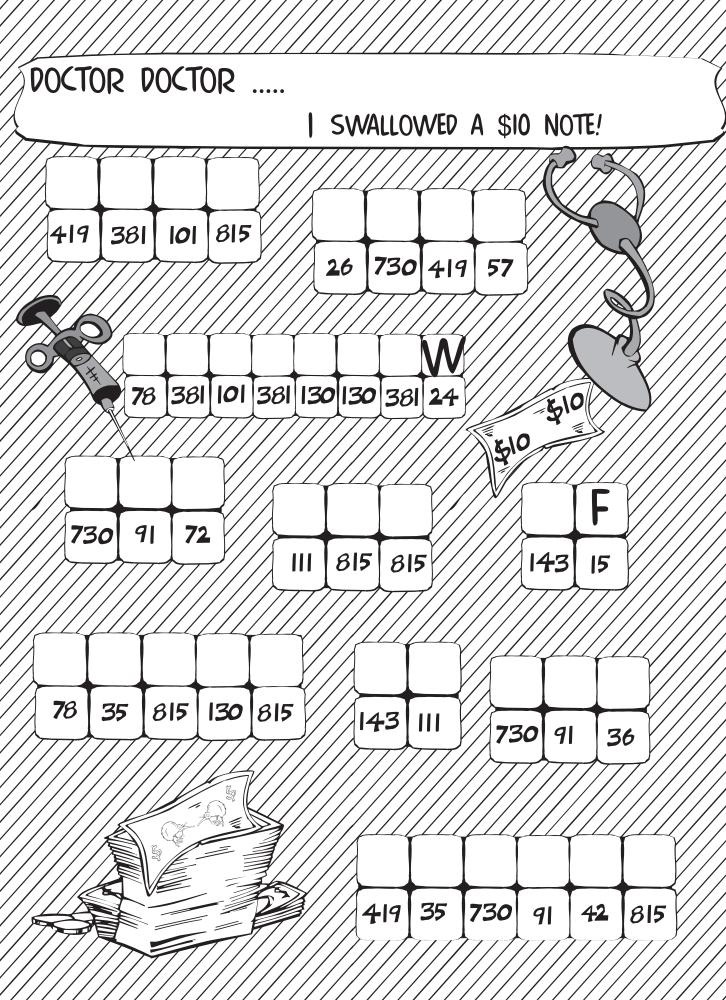
#### What is found in this book?

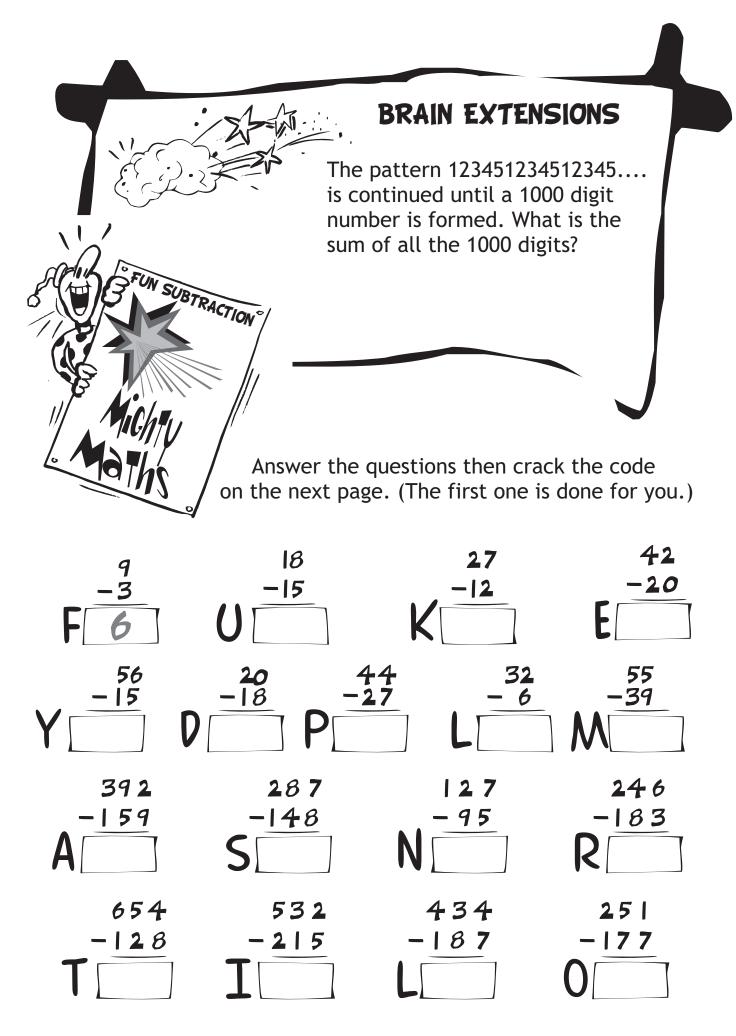


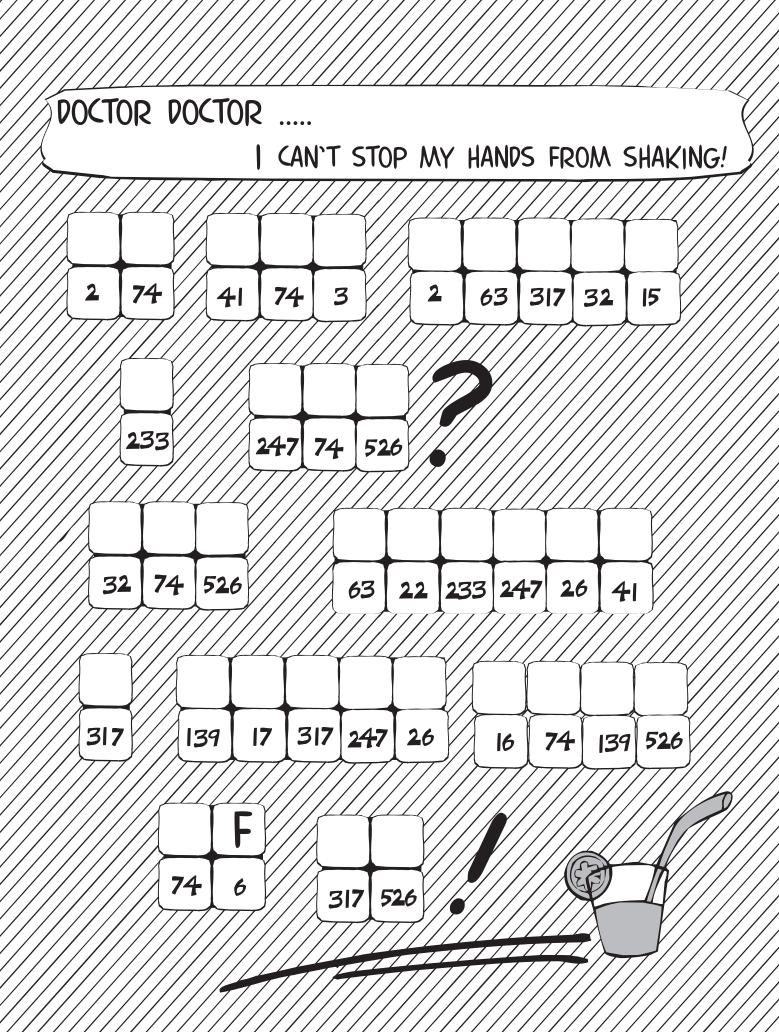


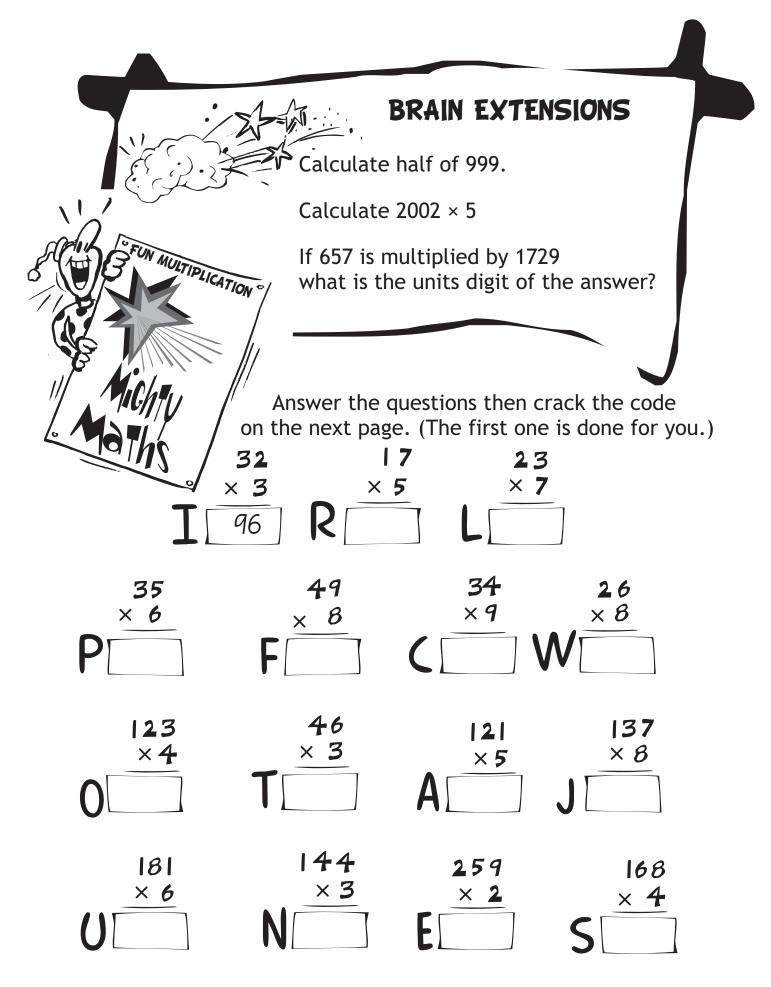


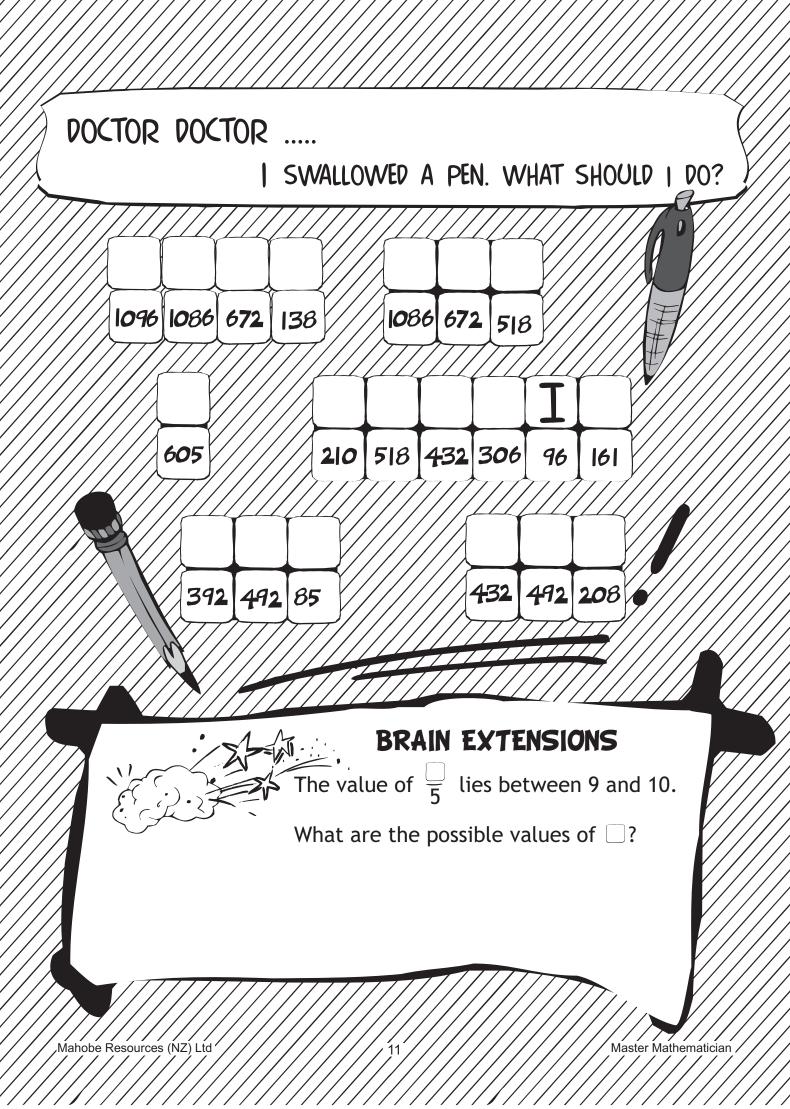


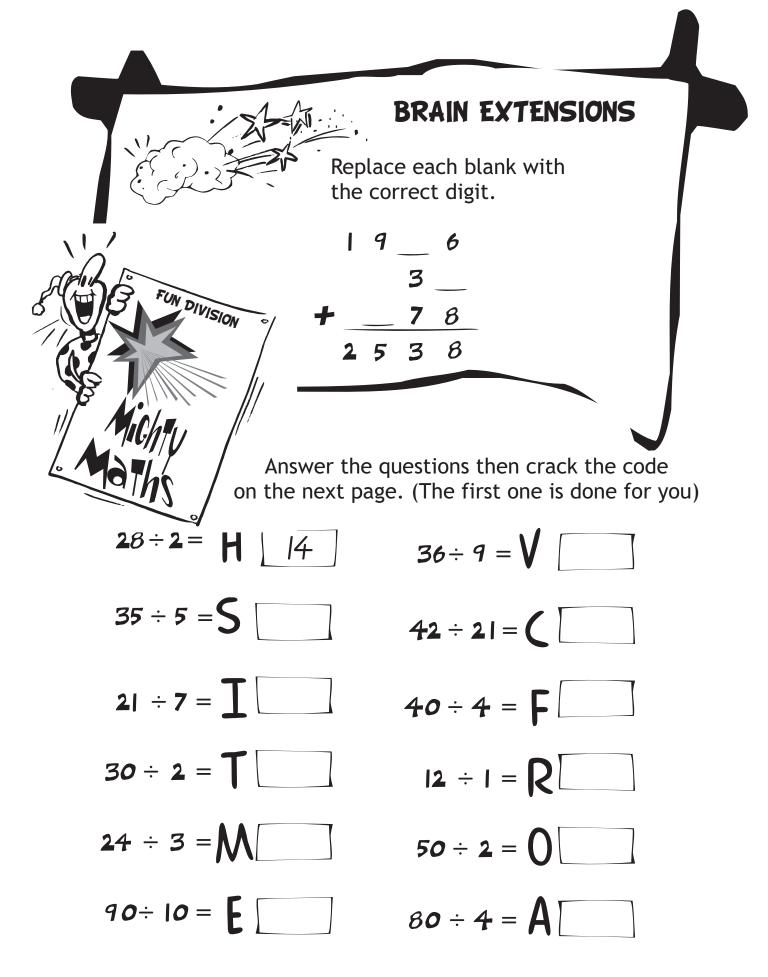


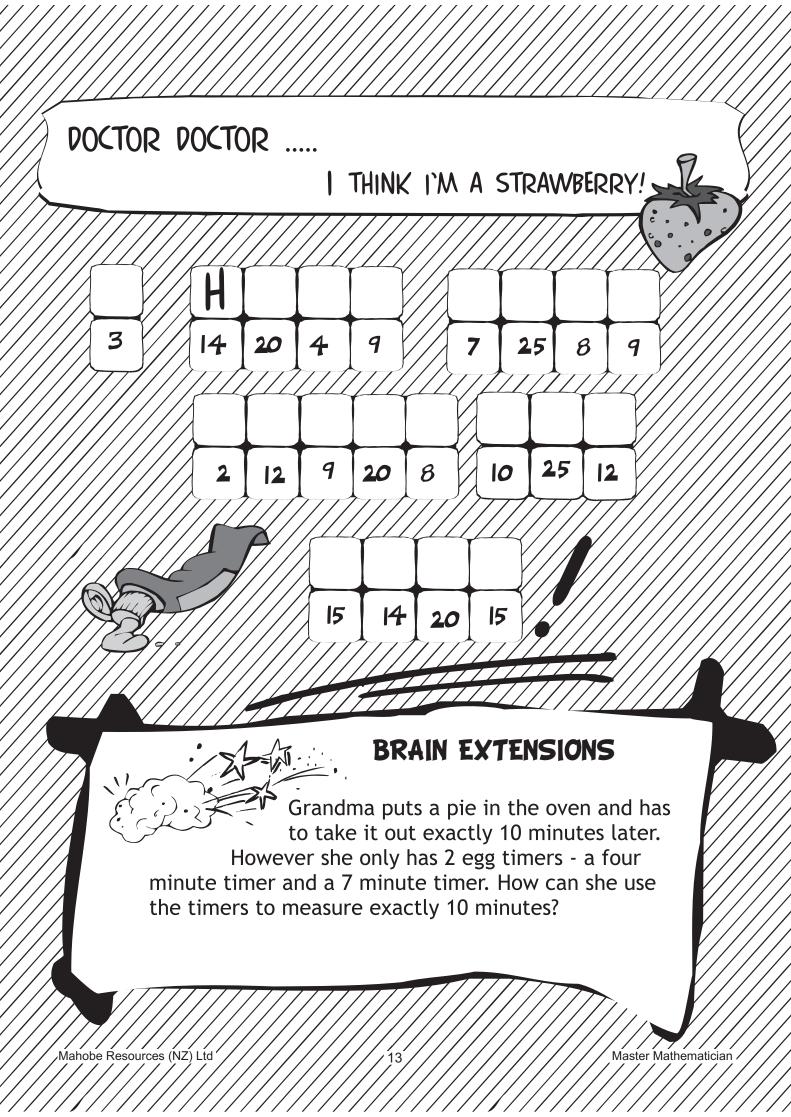




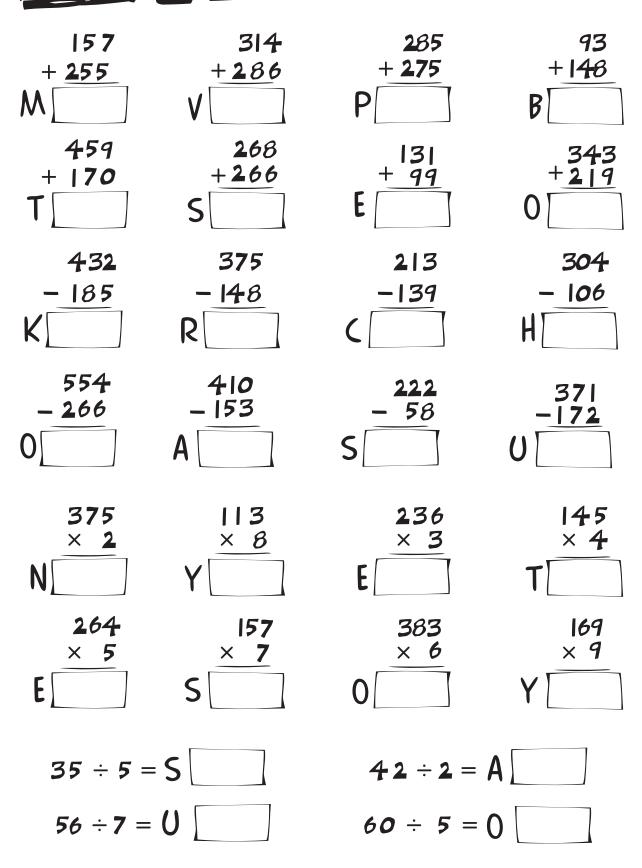


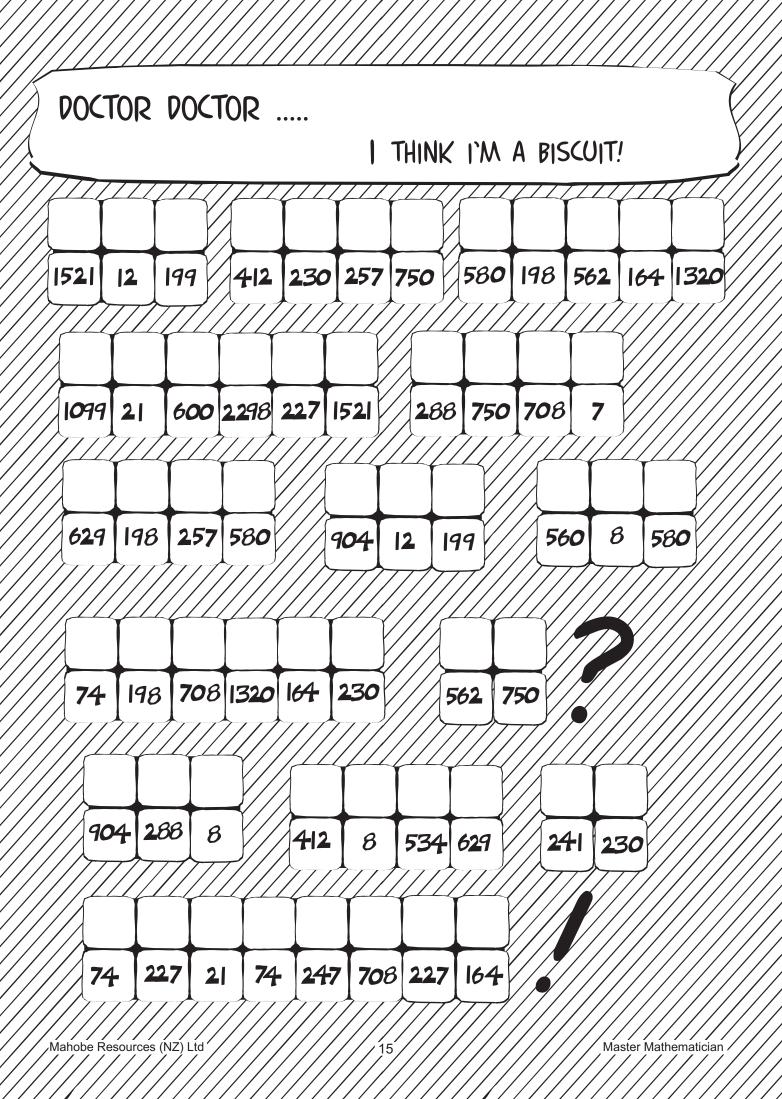






# FUN ARITHMETIC





#### BEAT THE CALCULATOR

Time yourself on the first set without using a calculator. On the second set use a calculator. Which method is quickest? Which has the least mistakes?

2+19= *B* + *6* = |4+5= 27+|2=**|2 -** *B* = |7-6= 23 - 15 = 27-17= 25 - 7 = |0 - 2| =**4** × || =  $\mathcal{B} \times \mathcal{P} =$  $|\mathbf{2} \times \mathbf{6}| =$  $|\mathbf{0} \times \mathbf{5}| =$   $\mathbf{0} \times \mathbf{3} =$ 5 × 7 = 20 ÷ 5 = \_\_\_\_ 36 ÷ 4 = \_\_\_\_ / 6 ÷ 6 = *B* + **7** = |3 + 7 = 4+27 = \_\_\_\_ 2 + 9 = 26 + 15 = **2**5 + |5 = **|4 - 2** = **13 –** *8* = **25 - 1**9 = **23 - 7** = |3 -4 = **33 –** 16 =  $\mathcal{B} \times \mathcal{B} =$ |5 × 6 = 5 × 13 = 9 × 7 = *IO* × 7 = \_\_\_\_ |25÷5 = 200÷5 = , Master Mathematician Mahobe Resources (NZ) Ltd 16<sup>′</sup>

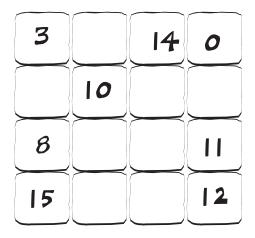
# BRAIN EXTENSIONS

Kim Freeman asks you to open your maths book to the facing pages whose numbers sum to 85. Which pages should you turn to?

Jones saves \$2 during January, \$4 during February and \$6 during March. If he continues with the same savings pattern how much will he have saved after 1 year?

All the numbers from 0 to 16 must be placed in the squares.

The sum of the 4 numbers in each row, column and diagonal is 30.

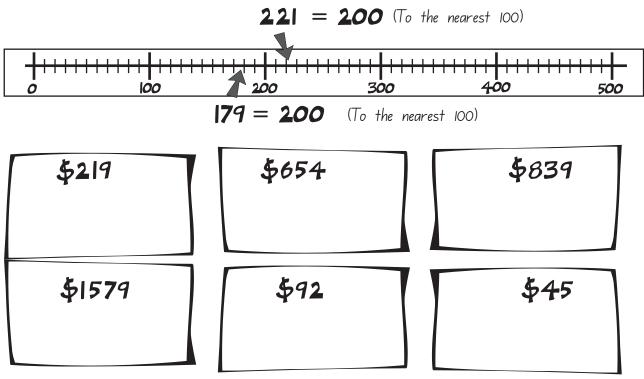


The average of seven numbers is 100.

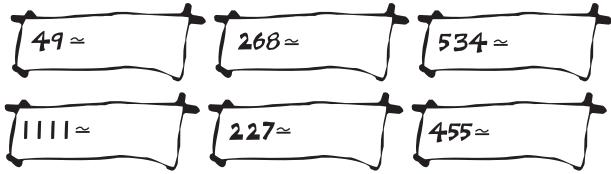
If 1 is added to the first number, 2 is added to the second number, 3 is added to the third number and so on up to the seventh number, what is the new average?

## ROUNDING

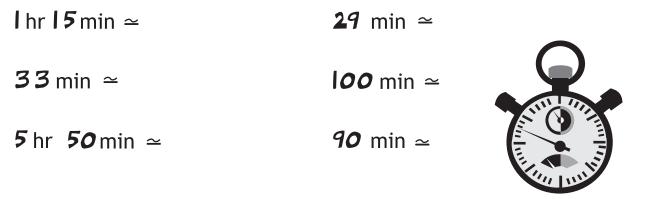
Give these amounts to the nearest hundred dollars.



Round these amounts to the nearest ten.



Rewrite these times to the nearest hour.



# **EVENS ODDS & PATTERNS**

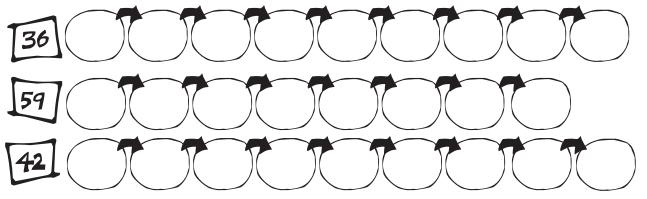
Even numbers divide exactly by:

List the even numbers between 50 and 80.

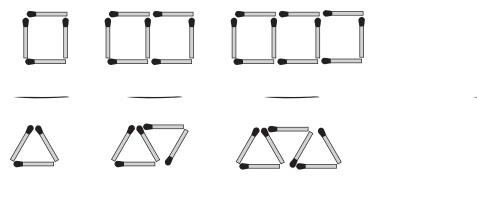
List the odd numbers between 20 and 30.

Look at the pattern below. If the number is even then it is divided by 2. If the number is odd then 1 is added to it.

Use the rule to complete these patterns.



Draw the next picture in the match-stick pattern. Write how many sticks are needed for each pattern.



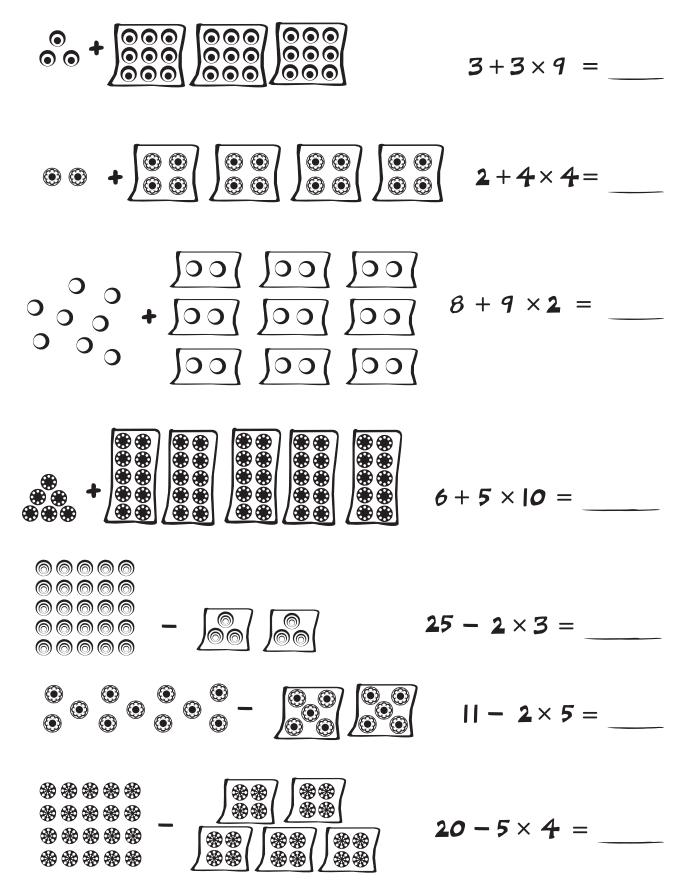
## ORDER OF OPERATIONS

Calculate the answers to these sums.

Then write the sums in a different way and calculate the answer.

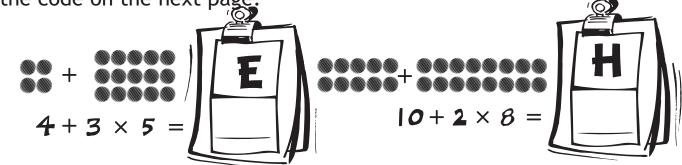
5+2+2+2+2+2+2=19 $:.5 + 7 \times 2 = 19$ 6 + 4 + 4 + 4 =  $\therefore$  means therefore. ∴ 6 + 3 × 4 = 12+6+6+6+6+6= *B*+5+5+5+5+5+5+5+5= 27+|2+|2 = 25+3+3+3+3+3=·· \_\_\_\_ 9+8+8+8+8+8+8=

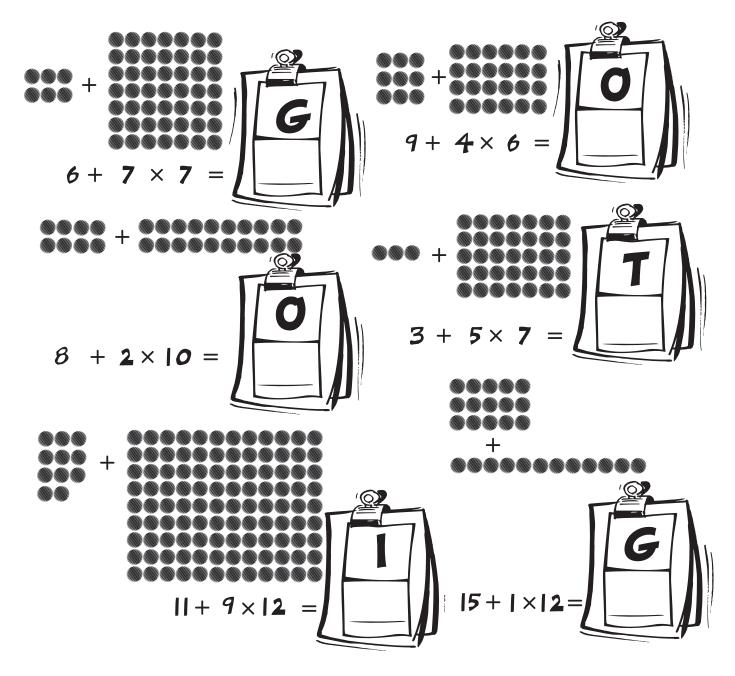
Calculate the answer to each sum. Hint: Use the diagrams to help.

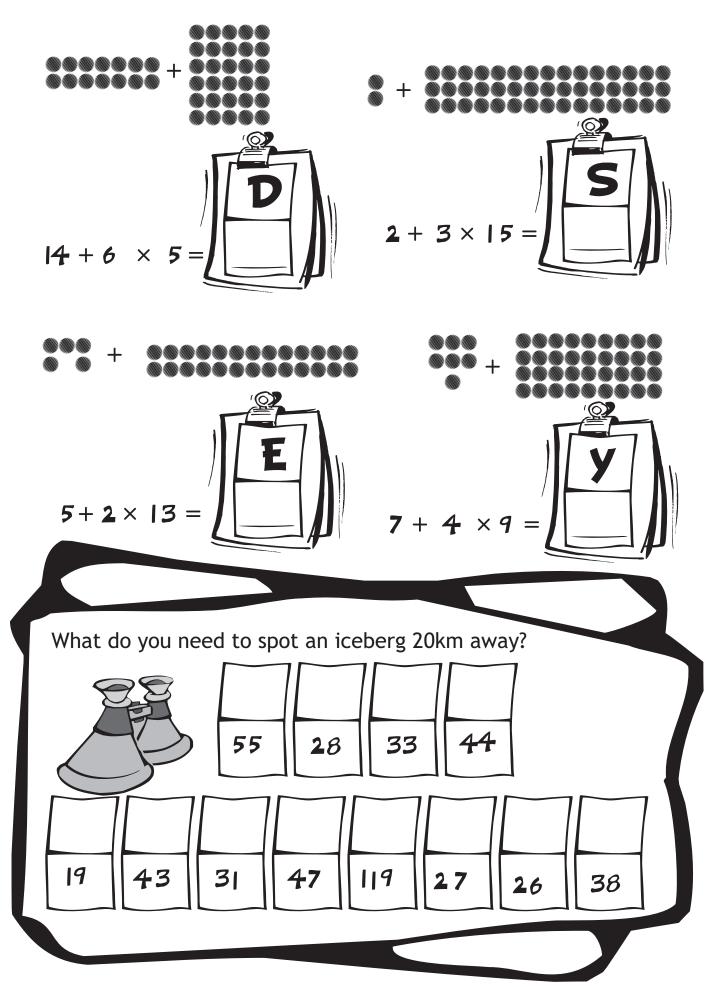


# ORDER OF OPERATIONS

The rules of arithmetic state that you must do multiplication before addition. Complete the sums then work out the answer to the code on the next page.







#### BODMAS

If a sum such as  $4+5\times2$  has no brackets then it has been agreed by mathematicians that the multiplying is to be calculated before the addition.  $4+5\times2 = 14$ 

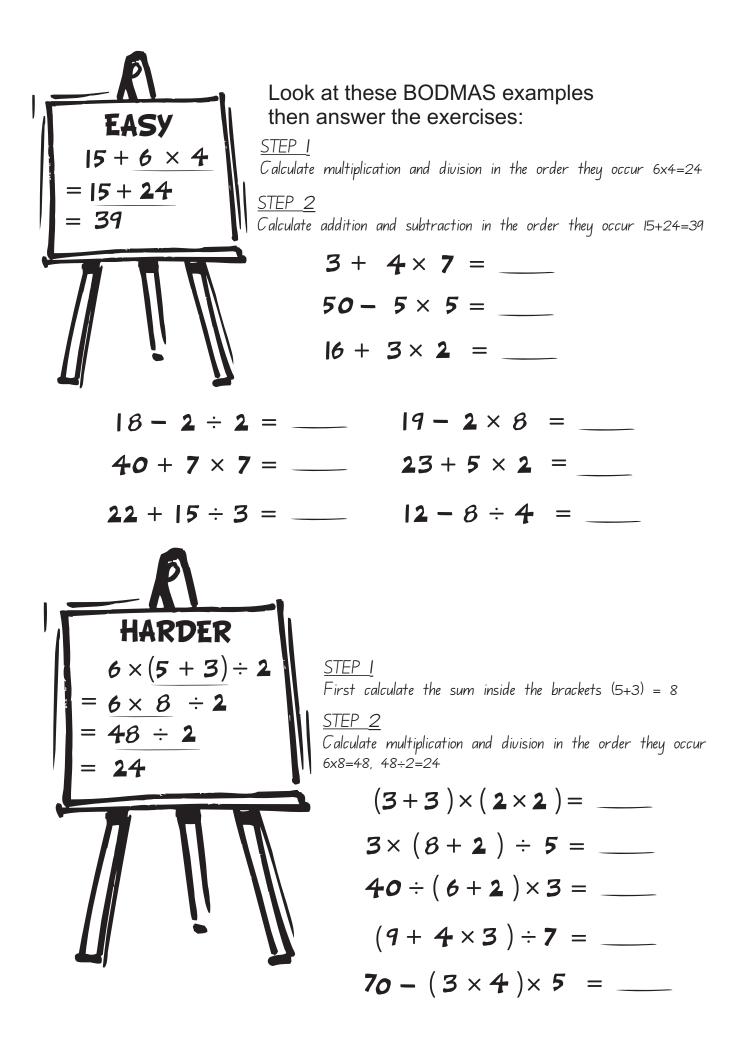
If a sum has brackets such as  $3 \times (8+2)$  then it has been agreed by mathematicians that the part inside the brackets will always be calculated first.  $3 \times (8+2) = 30$ 

There is an easy way to remember this - BODMAS.

- 1. Calculate Brackets first.
- 2. Calculate Division and Multiplication in the order they are written.
- 3. Calculate Addition and Subtraction in the order they are written.

Look at these examples:

$oldsymbol{ 0 }  imes (oldsymbol{2}+oldsymbol{7}) = oldsymbol{9}$	Calculate brackets (2+7)=9 then multiply by 10.
$ 2 \times 2 \div \mathbf{\beta} = 3$	Calculate the multiplication and division in the order that they occur 12×2=24, 24÷8=3.
Now try these. <b>7</b> + <b>3</b> × <b>3</b> =	<i>0</i> – 3 × 3 =
6 + 3 × 2 =	8 × 4 + 5 =
$9 + 4 \div 2 = $	$5+(6 \times 3) =$
<b>12</b> + 6 - 3 =	24 ÷ 3 × 2 =
5 + 5 × <b>4</b> =	$ 0 \times 4 \div 2 = $
10 + 3 × 2 =	$8 + (4 \times 2) \times 2 = $



#### BODMAS

Б	UVMAS	
	$100 - 20 \times 4$	$(6 \times 7) + (2 \times 5)$
	(45 – 15) + (37 – 7)	58-(4×7)
	15 + 6 × 6	$\mathcal{B}\mathcal{B} - ( \mathcal{O} \times  )$
レンフ	(3+5)×(3+6)	$(7 \times 7) + (4 \times 8)$
ノンノ	(5+5) × (5-3)	( <b>45 - 23</b> )+( <b>5</b> ×8)
	50 - 7 × 6	38 - 5 × 7
	$(4 + 8) \times (8 - 2)$	100 - 45 + 7×7
	(10 – 3) + (6 × 6)	45 - 9×4
	Each of these sums has the Calculate each of the answ	

 $4 + 4 \times (5 - 2) =$   $2 + 3 \times (4 - 1) =$ 

 $(4+4) \times 5 - 2 =$   $(2+3) \times 4 - 1 =$  $4 + (4 \times 5) - 2 =$   $2 + (3 \times 4) - 1 =$ 2 V  $4 + 4 \times 5 - 2 =$   $2 + 3 \times 4 - 1 =$ 

シン

V

> 7

1

7 

1

2  $\triangleleft$ V

1

5

1

4

7 1

2 

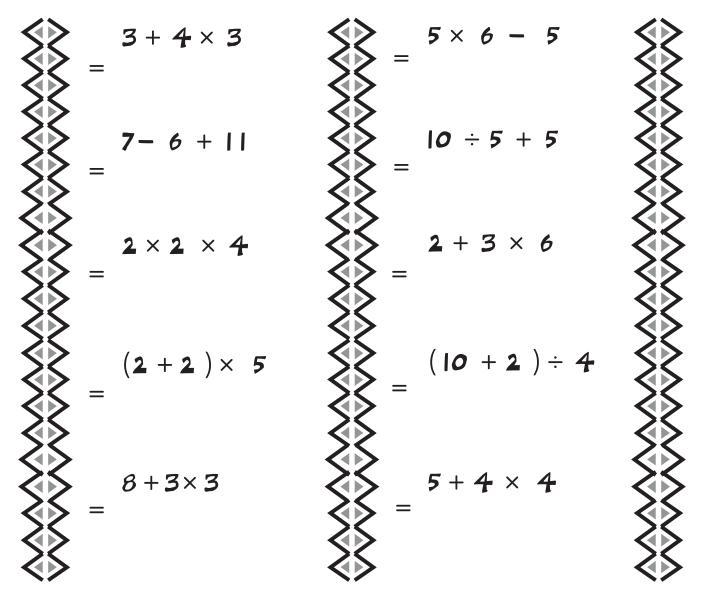
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Make the sums correct by putting in brackets to show which part has been completed first (one sum has no brackets).

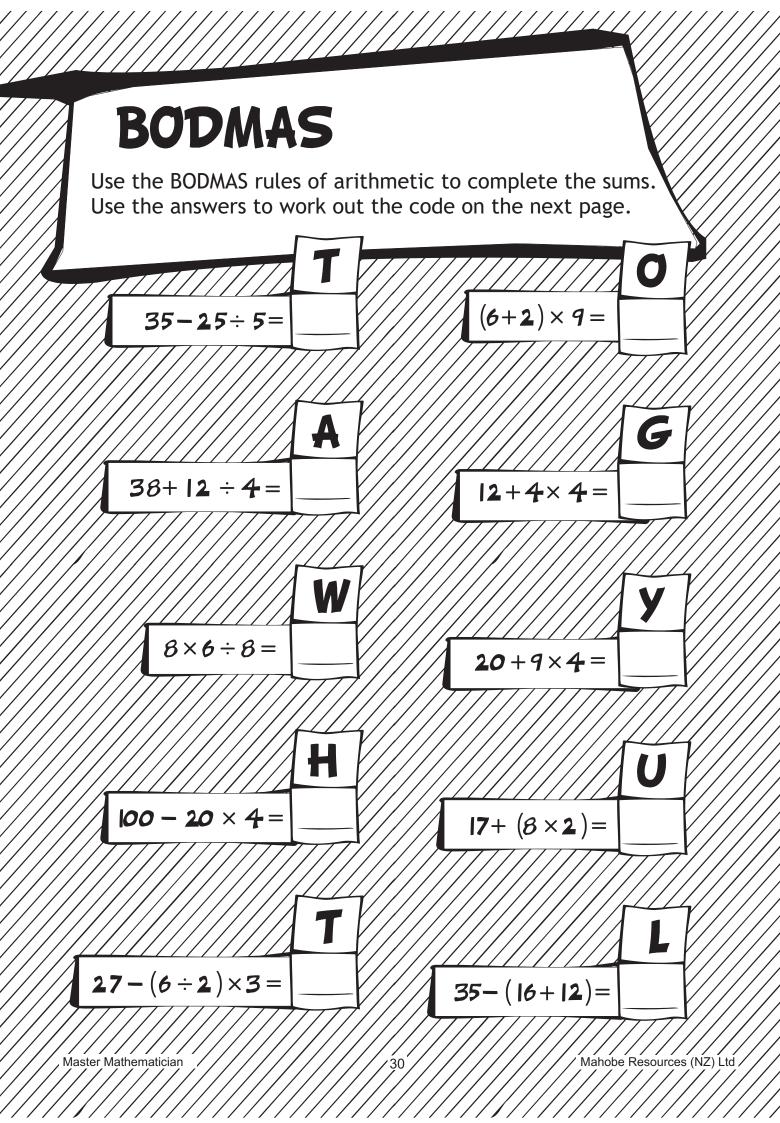
 $9+4 \times 5 - 3 = 26$  $9+4 \times 5 - 3 = 17$  $9+4 \times 5 - 3 = 62$  $9+4 \times 5 - 3 = 26$ 

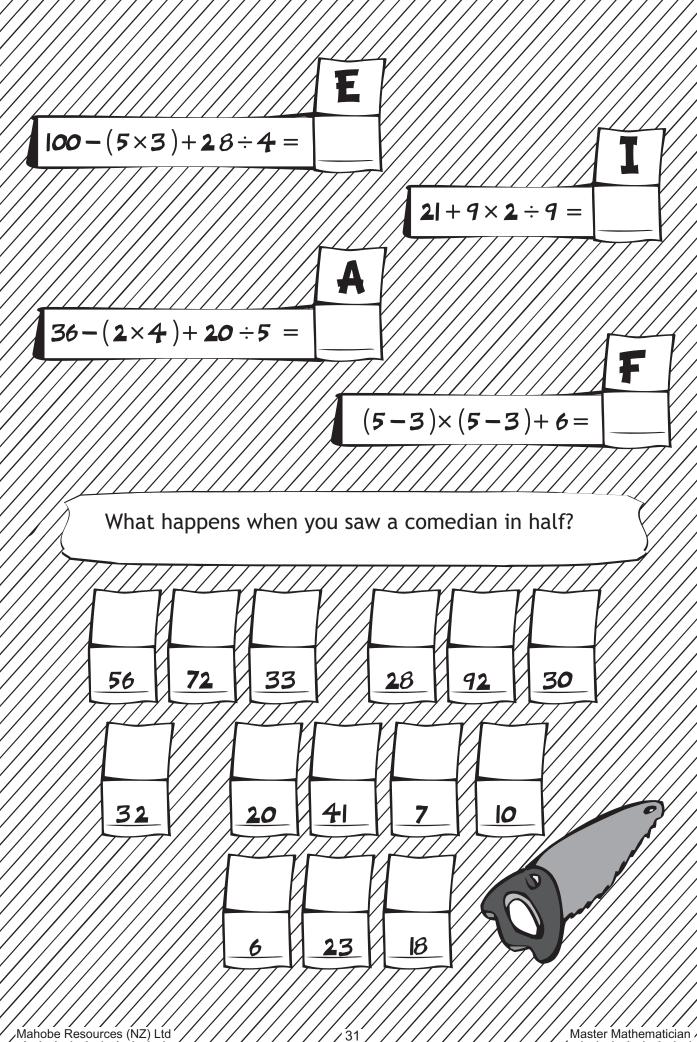
If there was no BODMAS rule then everybody who did arithmetic would get different answers. Use the rule to calculate the following:

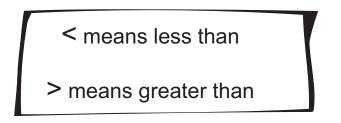


Complete these sums  $= \begin{array}{c} |0 \times (5+5) \\ = \end{array} \qquad = \begin{array}{c} 9 \times (2+8) \\ = \end{array} \qquad = \begin{array}{c} 5 \times 6+4 \\ = \end{array}$  $45 \div (5+4) = 63 \div (12-3) = 6+6 \times 6$  $= \begin{array}{cccc} 10+6\times 9 & 9+9\times 9 & 76-4\times 4 \\ = & = & = \\ \end{array}$  $|00+|0\times|0$  (|9+|8)-(|5+|2)Time Taken Master Mathematician Mahobe Resources (NZ) Ltd 28

Complete these sums = <sup>8×3+5</sup> = <sup>7×(8+4)</sup> 9×6+3 8+32÷4 |0+80÷10 |4+28÷7 = = = =  $= (3+8) \times 5 \qquad = (6+4) \times 10 \qquad = (9+2) \times 7$  $40 \div (6+4) = 36 \div (7+2) = 54 \div (5+4)$  $48 \div (16 - 12) = 6 + 6 \times 9 = 7 + 8 \times 9$ =  $|\mathbf{0}+\mathbf{8}\times\mathbf{7}| = |\mathbf{2}+\mathbf{7}\times\mathbf{5}| = |\mathbf{5}+\mathbf{6}\times\mathbf{5}| = |\mathbf{5}+\mathbf{6}\times\mathbf{5}|$  $\frac{60-4\times4}{\text{Time Taken}} = \frac{(27+13)-(14+16)}{(14+16)}$ Master Mathematician Mahobe Resources (NZ) Ltd 29

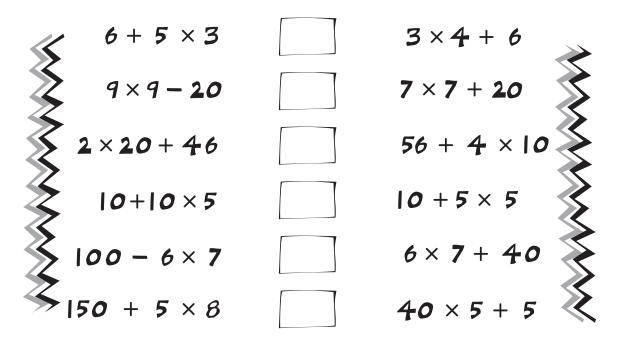




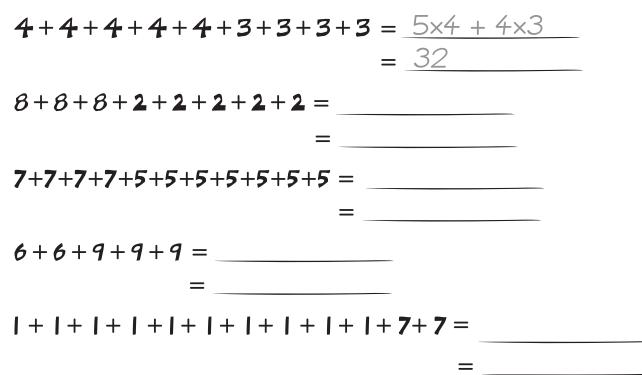


The arrow always points to the smaller number.

Put in a greater or less than sign to make these statements correct.

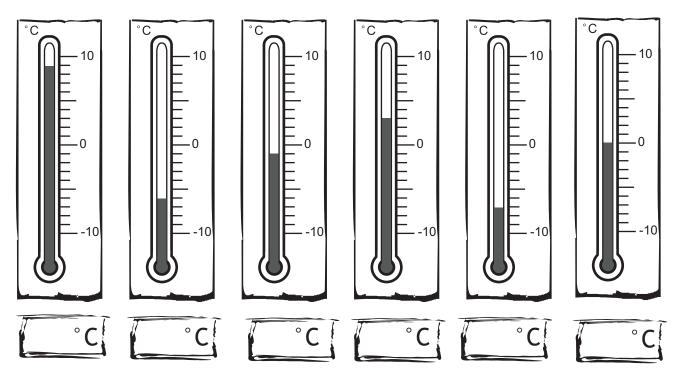


Rewrite these sums and calculate the answer.

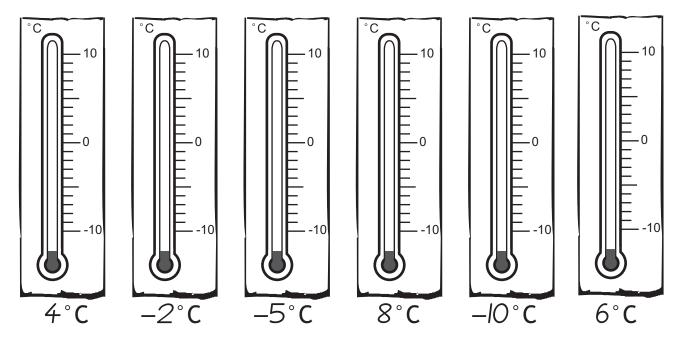


## TEMPERATURES

Write the temperature shown on each thermometer.

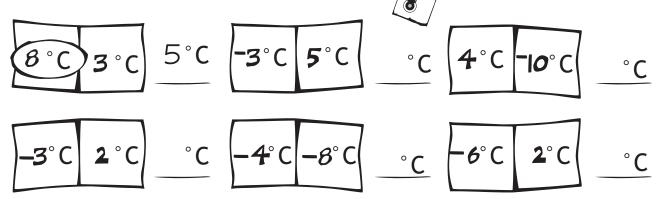


Colour the temperatures onto the thermometers.

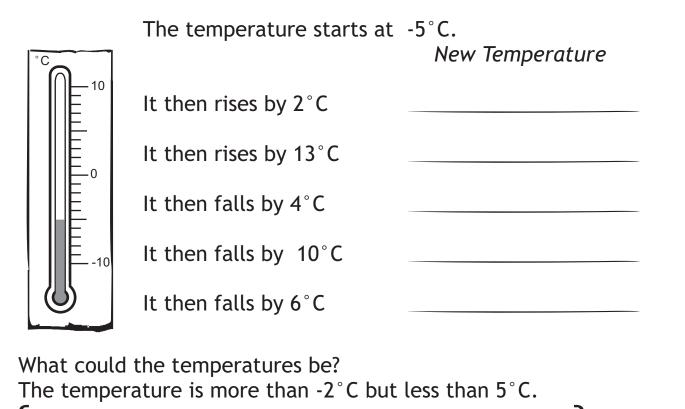


# TEMPERATURES ARE HOT

Circle the temperature which is warmer. Indicate how many degrees warmer it is. (The first one is done for you.)

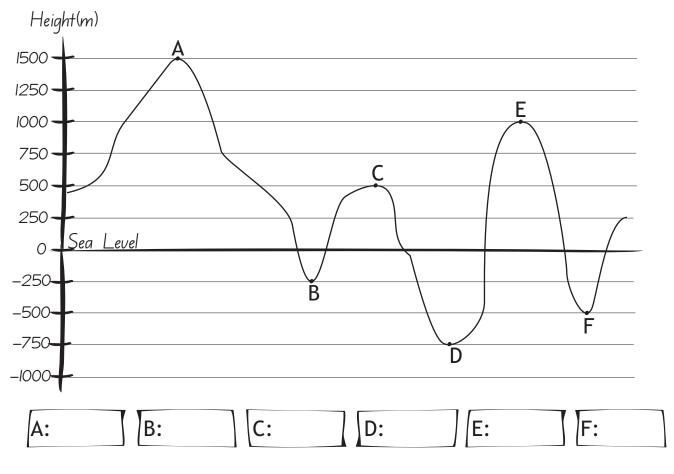


Use the thermometer to help work out the temperature changes.



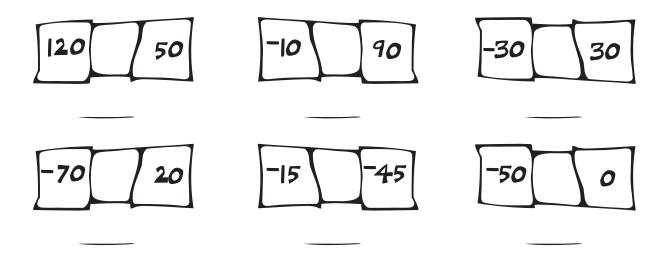
The temperature is less than  $6^{\circ}$ C but more than  $-3^{\circ}$ C.

The diagram below is a geological cross-section. Write the heights of the mountains and the depths of the bottom of the sea.



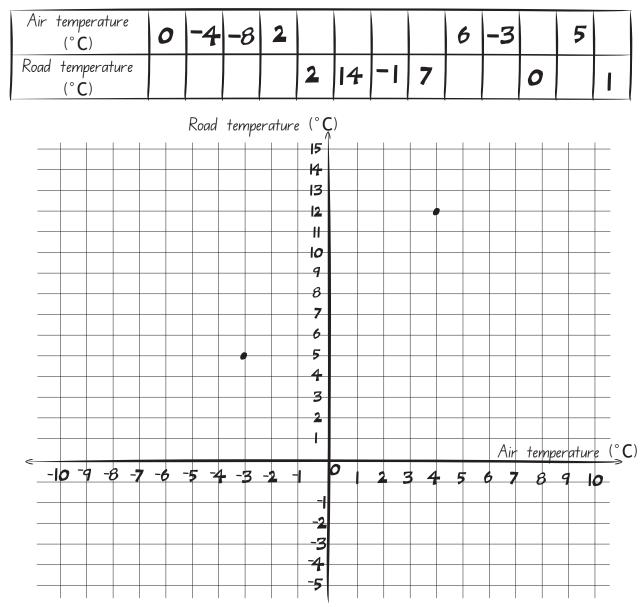
Write the heights in increasing order.

Fill in the middle box with a greater than (>) or less than (<) sign. Write the difference between each number.



The black surface of a road absorbs the sun's heat and becomes hotter than the air temperature. James has found that the road's surface is always 8°C hotter than the air temperature.

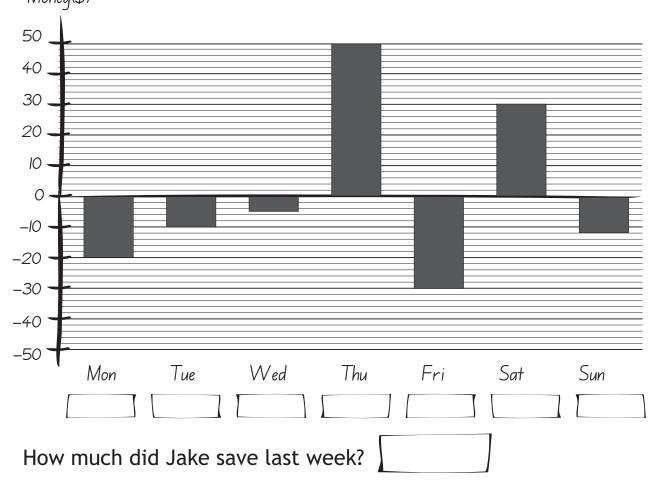
Complete the table to show what the two temperatures could be. Plot the data by drawing dots on the graph.



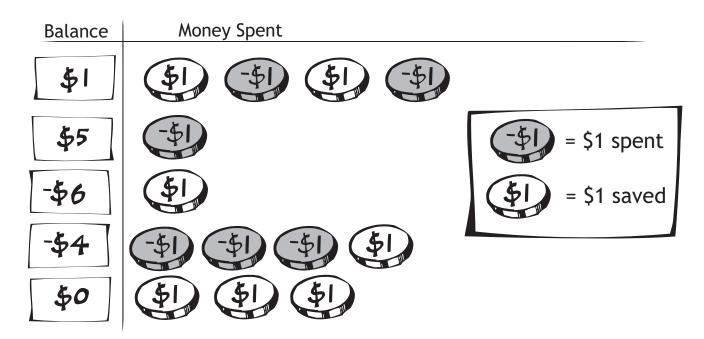
Each day a hotel receptionist has to write down the number of guests arriving and departing. Complete the bottom row of the table to show an increase or decrease of guests staying at the hotel each day.

Arrive	25	22	15	0	21	7	Ι	9	18	4	16	20
Depart	18	20	18	4	24	-	5	18	17	12	19	11
Change	+7		-3									

#### The graph shows Jake's income (+) and spending (-) last week. In the boxes below write how much he earned or spent each day. *Money*(\$)

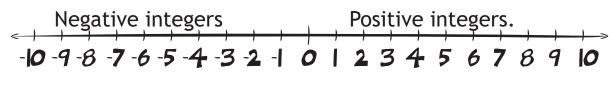


Complete the diagrams so that the money is equal to each balance.



#### INTEGERS

Integers are similar to whole numbers. The main difference is that there are negative integers and positive integers.



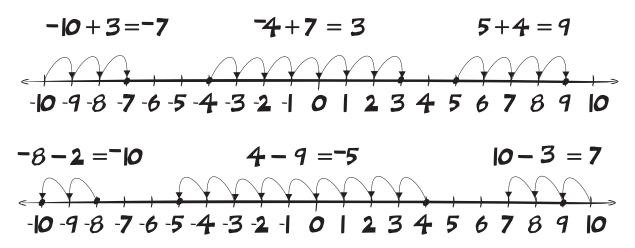
Integers become larger as you move to the right.

Negative integers are found on the left of zero and positive integers are found on the right of zero. Zero is neither positive or negative. Sometimes a positive integer has a + sign beside it but usually it has no sign at all. As you move along the number line to the right the integers become greater (larger). This means 1 > -10.

Write >, = or < between the two integers.

2 9	8 5	-4 7	3 -3
0 6	-9 -3	5 - 8	-5 -5
4 -6	-   _ 0	72	-2 0
-6 I	2 2	-2 -6	-7 3

You add and subtract integers the same as any other number.

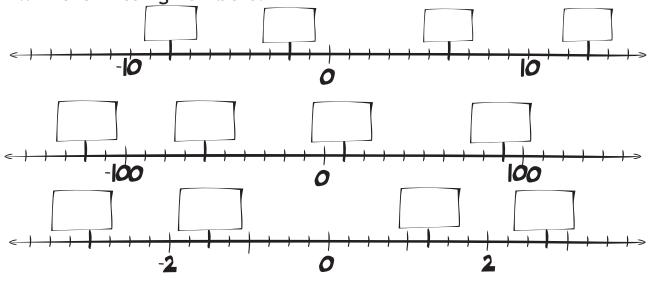


Use the number line	e to work out the answe	ers to these sums.
<	-6 -5 -4 -3 -2 -1 0 1 2 3 4	· 5 6 7 8 9 10 11 12 13 14 15
<b>-4</b> + 7 =	- <i>B</i> + <b>3</b> =	<b>-</b> I + 5 =
-3 + 5 =	<b>-2</b> + <b>2</b> =	-4 + 7 =
$-\beta + \delta =$	<b>-5</b> + 9 =	<b>-</b> 3 +    =
<b>-</b> 9 + 8 =	<b>-</b> <i>B</i> + <b> 4</b> =	<b>-</b>  5+β =
-12 + 15 =	-2 + 12 =	<b>-</b>   +  5 =
-10 + 22 =	<b>-7 +  2</b> =	-6 + 13 =
<b>0</b> +  3 =	<b>-</b> 15 + <b>4</b> =	-10 + 6 =
12 + 6 =	<b>-</b>   <i>O</i> +   =	-5+2 =
13-9=	8 <b>-</b>  0=	-6-6 =
<b>-7-4</b> =	6 – 13 =	-12-15=
-2 - 7 =	8-16=	4 - 14 =
7 - 12 =	<b>-7</b> - 8 =	12-25=
-  5 =	5 -  9 =	-I - O =
<b> 0 -</b> 8 =	2-9=	8 - 14 =
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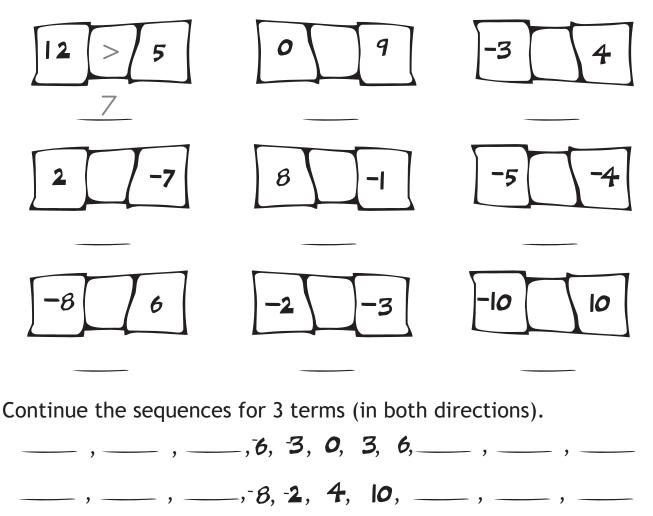
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#### INTEGERS

Fill in the missing numbers.



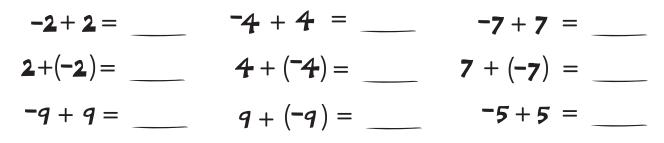
Fill in the middle box with a greater than (>) or less than (<) sign. Write the difference between each number.



#### INTEGER OPPOSITES

-*I*O -*I*O

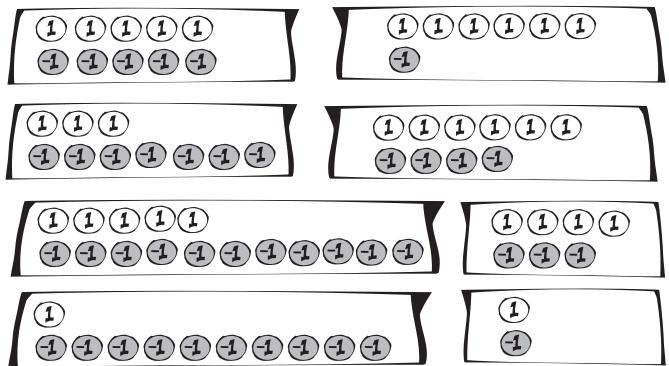
When you add integer opposites the result is always zero. Add these integer opposites.



Use the adding integer rule to add these add these integers.

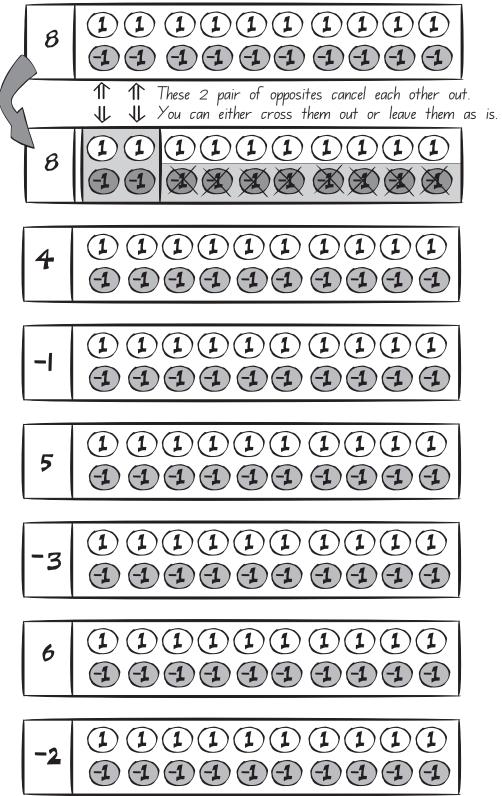
-3 + 5 + 3 =	-6+8+6 =
<b>-</b>   + <b>4</b> +   =	-9 + 7 + 9 =

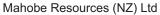
What do these diagrams represent? Remember, integer opposites sum to equal zero. Therefore If you have the same number of 1s as -1s then you have zero.



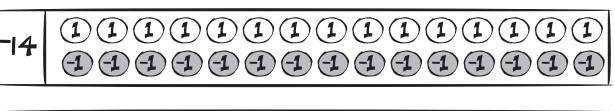
# INTEGER OPPOSITES

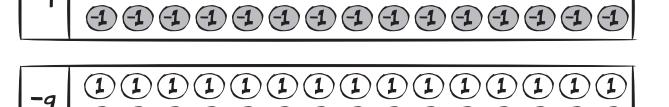
When you add integer opposites the result is always 0 (zero). Cross out the 1s (1) or the -1s (-1) to illustrate the number shown. The first one is done for you.





1 (1) (1 -13 -1)(-1) (-1 (1) (1)(1)11 (-1)(-1)1 (1)(1)(-1)(-1)(-1)(-1) (-1) (1)(1 1) (1)(1)1 (1)(1) (1 12

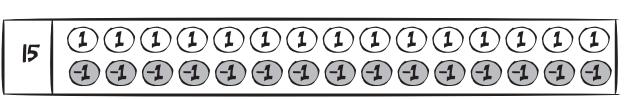


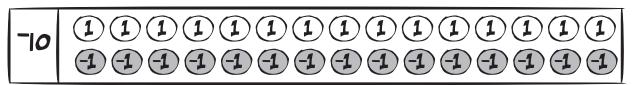


-1)(-1)

(-1)

(-1





Cross out the 1s 1 or the -1s 1 to illustrate the number shown.

(-1

)(-1

(-1)

(-1)

(-1

(-1

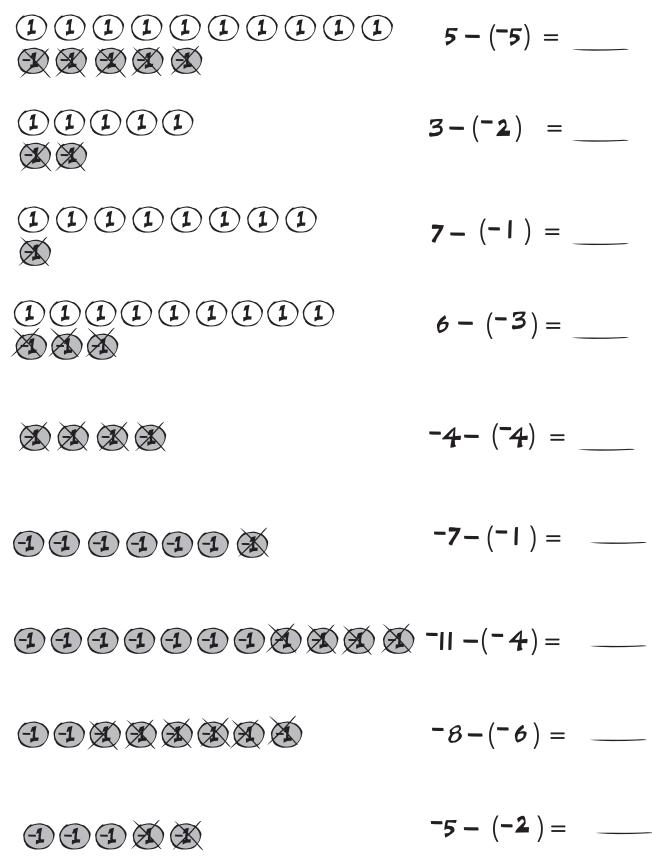
(-1

### INTEGER ARITHMETIC

Use the diagrams to help add these integers - remember, integer opposites sum to equal zero. If you have the same number of 1s as -1s then you have zero.

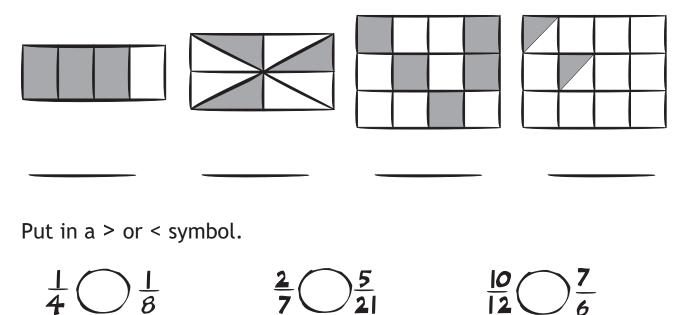
 $\mathcal{B} + (\mathcal{B}) =$  $\boldsymbol{6} + (\boldsymbol{\neg} \boldsymbol{0}) =$ (1)(1)2 + (-9) =5 + (-3) = (-1)(-1)(-1)4 + (-2) =(-1)(-1)7 + (-4) = $\mathcal{P} + (\mathbf{-I}) =$ (-1)|O + (-7) =

Use the diagrams to help subtract these NEGATIVE integers. Remember, integer opposites sum to equal zero. If you have the same number of 1s as -1s then you have zero.



#### FRACTIONS

What fraction is shaded?



Calculate: One half of 18

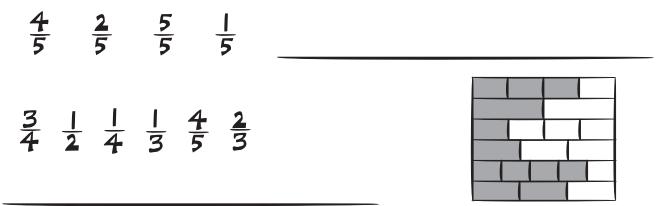
One quarter of 20. One third of 90.

Two thirds of 90.

One fifth of 100.

Three fifths of 100.

Put these fractions in order smallest to largest.



#### DECIMALS

Write the correct statement beside the decimal.

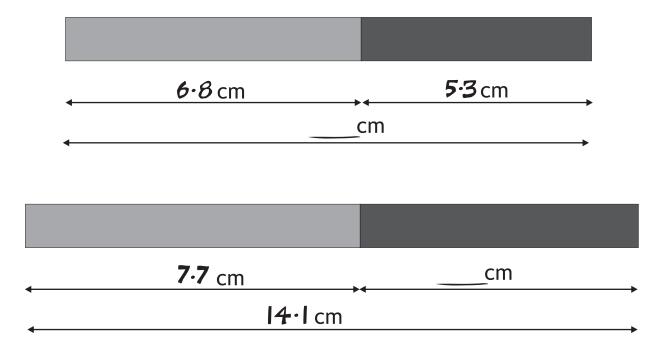
"Just a bit bigger than 50", "Almost 51", "Midway between 50 & 51"

50·5	
50·2	
50·7	

Write the following as decimal numbers:

Two point eight	$\frac{1}{2}$
Twenty seven point nine	3
Thirteen point five	4
One tenth	2/5

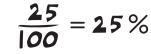
Find the missing lengths.



#### PERCENTAGES %

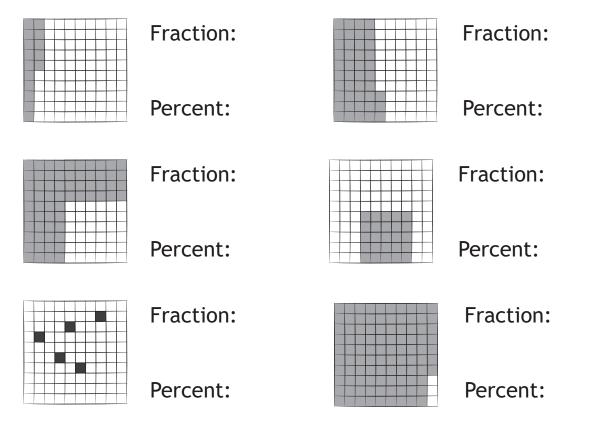
A fraction with a denominator of 100 is easier to write as a percent. Ten percent Twenty five percent Eighty three percent

 $\frac{10}{100} = 10\%$ 



 $\frac{83}{100} = 83\%$ 

What part of each square is shaded? Write your answer as a fraction over 100 and also as a number with a percent sign.



What part of each group is shaded? Write your answer as a fraction over 100 and also as a number with a percent sign.

00000000000	
0000000000	
<b>00000</b> 00000	Fraction:
<u> </u>	
<u> </u>	
<u> </u>	
<b>000000000</b>	
0000000000	Percent:
<b>000000000</b>	
00000000000	

Fraction:

Complete each sentence. The first is done for you.	15
15% means . $.15$ . $.04$ . $.06$ . $.100$ . As a fraction it is written . $.16$	<u>,</u>
27% means As a fraction it is written	
50% means As a fraction it is written	
75% means As a fraction it is written	

Each of the large squares below is divided into ...... small squares.

Shade 10%									
_									
_						_		$\square$	
-		$\vdash$					$\vdash$	$\vdash$	
	-							$\vdash$	

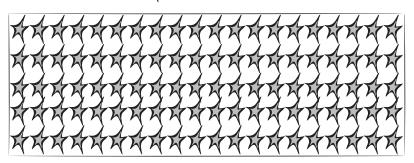
S	Shade 75%										
-				_		_					
-	-			_		_	_				
-	-		-	-	-	-	-	-			
-	$\vdash$		-	-		-	-				

S	Sł	12	a	d	е	19	%	
_								

Shade 100%

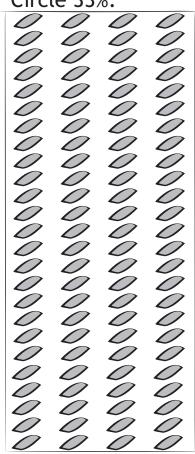
_					

There are 100 🛠. Circle 80%.



There are 100 🇯. Circle 12%

There are 100 *C*. Circle 33%.



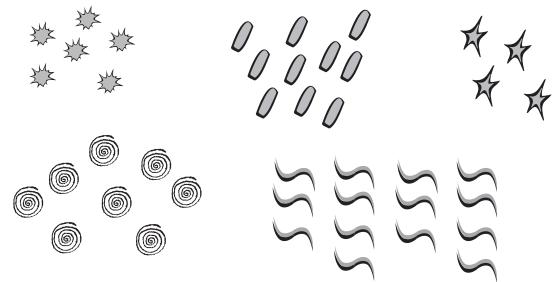
#### **POPULAR PERCENTS %**

Shade one half of the large square.

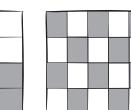
What percent is shaded? ......%

One half of something means ...... % of it.

Circle 50% of each group of shapes.



For each of the three squares below answer the questions.



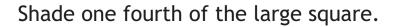
The square is divided into:

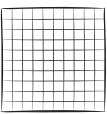
How many divisions are shaded? \_\_\_\_\_

What percentage is shaded?

#### A Quick Rule:

To find 50% of a number divide by:



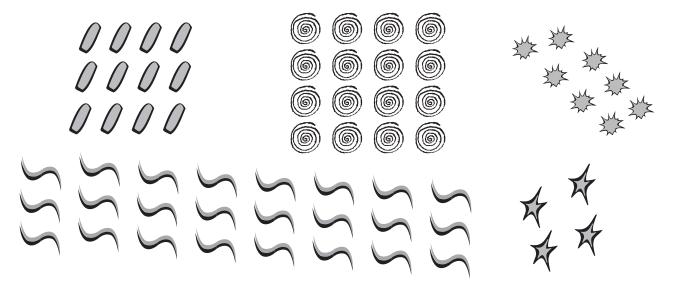


What percent is shaded? ...... %

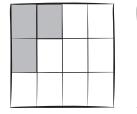
One fourth is also referred to as one Q.....

One quarter of something means ...... % of it.

Circle 25% of each group of shapes.



For each of the three squares below answer the questions.



The square is divided into:

How many divisions are shaded? \_\_\_\_\_

What percentage is shaded?

#### A Quick Rule:

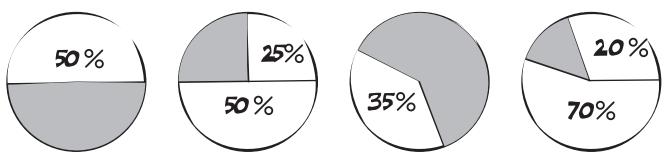
To find 25% of a number divide by:

# MORE PERCENTAGES %

All of something means ...... % of it.

A "pie chart" is a useful way to show statistical information. It is divided into pie slices. The complete circle is 100%.

Fill in the missing (shaded) percent for each pie chart below.



Complete the table below (the first column is done for you):

100%	28	8 <b>0</b>				
<b>50</b> %	14		100	16		
<b>25</b> %	7				3	15

Solve each problem below.

50% of 30 is	50% of 92 is
25% of 40 is	25% of 56 is
<ul> <li>12 is 50% of</li> <li>3 is 25% of</li> </ul>	<pre>19 is 50% of</pre> 10 is 25% of
Shade 100% of these squares:	

If you were asked to draw 200% of these squares how many would you draw?

#### SQUARES & SQUARE ROOTS

Squares - multiply the number by itself. Square Roots - what multiplies by itself to give that number?

 $5^{2}$  means  $5 \times 5 = 25$   $10^{2}$  means  $10 \times 10 = 100$   $10^{2}$  means  $10 \times 10 = 100$  $10^{2}$  means  $10 \times 10 = 100$ 

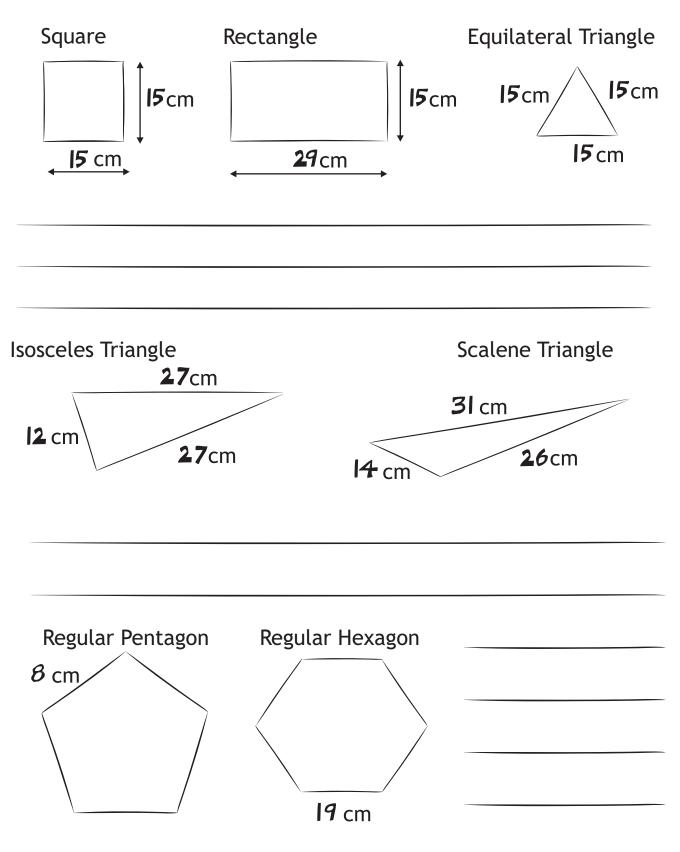
Calculate these squares and square roots.

<b>2</b> <sup>2</sup> =	$7^2 =$	$9^{2} =$	
<b>7</b> <sup>2</sup> =	<sup>2</sup> =	13 <sup>2</sup> =	
<b>\49</b> =	$\sqrt{144} =$	<b>√1</b> 6 =	
<b>\(25)</b> =	√ <i>100</i> =	$\sqrt{BI} =$	
Square Numbers		9	25
The first 5 square numb Each is found by squarir	-	1625 12345	

Write the first 15 square numbers.

#### PERIMETER

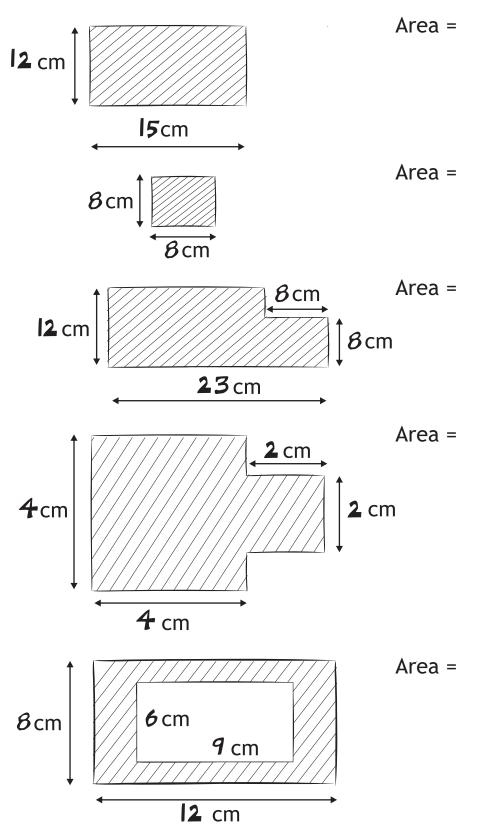
Calculate the perimeters of these shapes. (The shapes are not drawn to scale.)



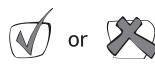
S	HAPES		) 7 2 2 3	
A	Write the correct name	for each shape f	rom_the list.	
	A B	C	Equilateral Triangle Hexagon Octagon Scalene Triangle Heptagon Right Angled Triangle	
			Pentagon Isosceles Triangle	
	D E	F G	H	
	А			
	В			
	С			
	D			
	E			
	F			
	G			
	Н			
		Write these mea Smallest circle	asurements:	
		Diameter=	Radius=	
		<b>Middle circle</b> Diameter=		
		Largest circle		
		Radius =	Circumference=	
	Hint: You many need a pie		ure the circumference.	
	▼ 🖉 🖉 🛆 🇳			



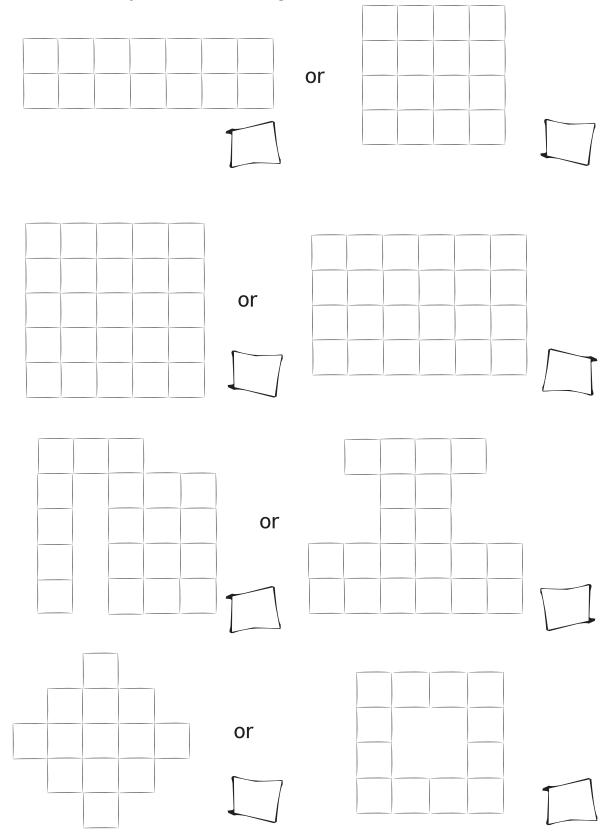
Calculate the shaded areas of each shape. The shapes are not drawn to scale.







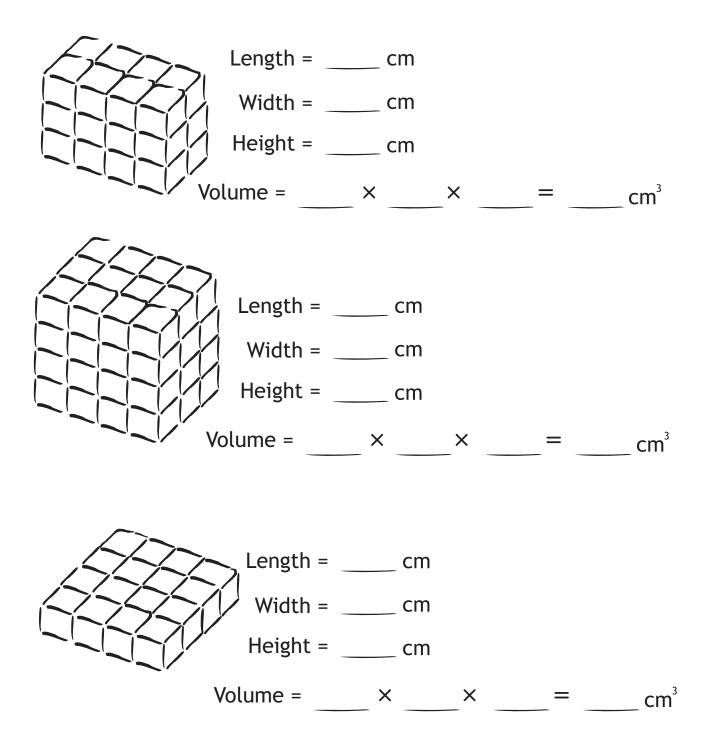
Which of each pair has the larger area?



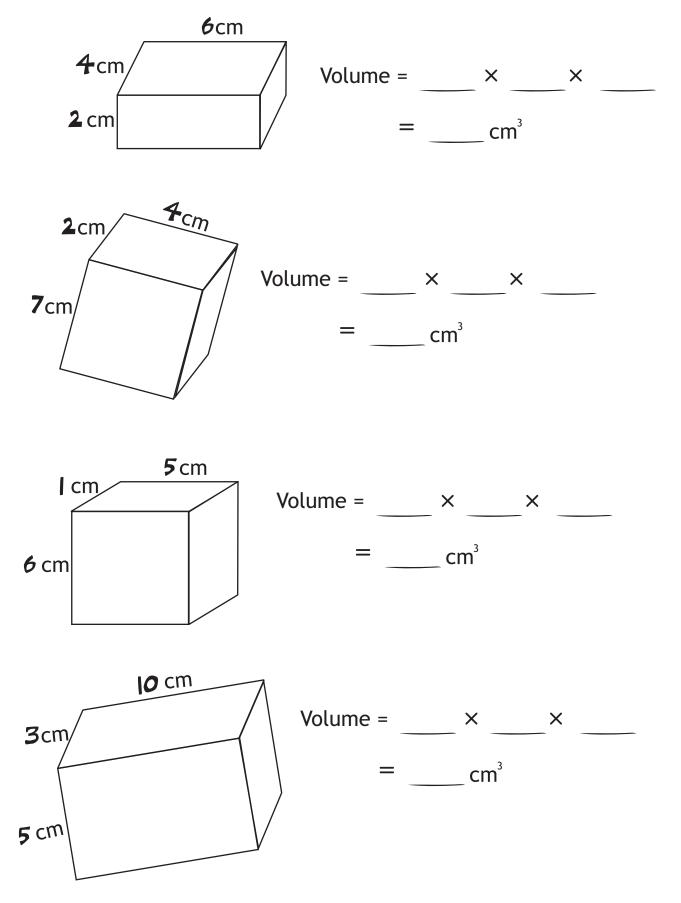
#### VOLUME

The ...... of a solid is the amount of space inside it. It is calculated by multiplying length, width and height. If all the measurements are in cm then the volume is measured in cubic centimetres (abbreviated to cm<sup>3</sup>).

If the shapes below are made of 1 cm cubes, determine the volumes.



Calculate the volume of the following rectangular prisms. The prisms are <u>not</u> drawn to scale.



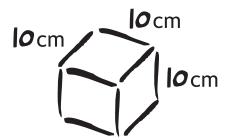
# VOLUME

Complete the table below.

Leng	th	Widtl	h	Height		Volume		
5	cm	I	cm	7	cm	cm <sup>3</sup>		
6	cm	5	cm		cm	<b>2</b> 10 cm <sup>3</sup>		
7	cm		cm	3	cm	<b>63</b> cm <sup>3</sup>		
	cm	2	cm	2	cm	<b>32</b> cm <sup>3</sup>		
	cm	7	cm	4	cm	<b>252</b> cm <sup>3</sup>		
10	cm	5	cm		cm	<b>300</b> cm <sup>3</sup>		
12	cm		cm	5	cm	<b>480</b> $cm^{3}$		

The volume of a solids are usually measured in cm<sup>3</sup> Volumes of liquids are measured in mL (millilitres) or L (litres). The following example shows how to convert mL to L and cm<sup>3</sup> to m<sup>3</sup>

 $| cm \times | cm \times | cm = | cm^{3}$ = | mL (millilitre)

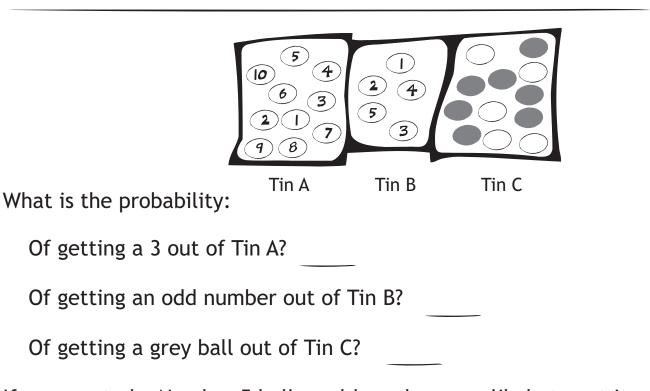


```
\mathbf{IO} cm × \mathbf{IO} cm × \mathbf{IO} cm = \mathbf{IOOO} cm<sup>3</sup>
= \mathbf{I} L (litre)
```

#### 

What is the probability of spinning a "5" on Spinner A? Write your answer as a fraction.

Greta says "I am equally likely to spin a 1 on Spinner A as on Spinner B". Is Greta correct? Explain your answer.



If you wanted a Number 5 ball would you be more likely to get it from Tin A or Tin B? Explain why.

### PROBABILITY

Lauren, Kristen and Kyle each toss a coin several times and write their results in the table below. Complete the table.

	(33)	The second secon		Totals	(1	Ratio relative free	
Outcome	Lauren	Kristen	Kyle	(frequency)	Fraction	Decimal	Percentage
Head	49	33	24				
Tail	51	27	16				
		Tot	al Tosses		_		

Toss a coin 20 times and note each result in the table below.

(																						
0	<b>D</b>								Tos	s Re	sult	S										<b>-</b>
Outcome	Prediction	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	Totals
Head																						
Tail																						

Statistics results are better analysed if there are many trials. Collect the data from 4 others who have done the same 20 coin toss experiment. Then fill in the table below. (You may have to do the experiment another 4 times).

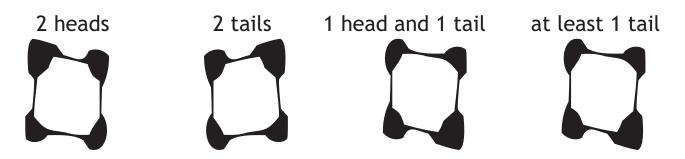
		Toss	Resu	lts		Totals	Ratio (relative frequency)				
Outcome	1	2	3	4	5	(frequency)	Fraction	Decimal	Percentage		
Head											
Tail											

If you toss a coin are you more likely to get a Head or a Tail? Explain your answer.

#### Toss two coins 24 times and note how they each land on the table.

												Resu													Totals
	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	
TT																									
TH																									
HT																									
HH																									

What fraction of the tosses resulted in:



If you conducted the experiment again, would you expect the same results? Explain your answer.

Throw a dice 30 times and keep a tally of how it lands. Then complete the rest of the table below.

	Tally of 30 throws	Totals	(	Ratio relative freq	uency)
Outcome		(frequency)	Fraction	Decimal	Percentage
$\langle \cdot \rangle$					
•					
(.·)					

# PROBABILITY

Toss 3 different coins and note how they land in the table below. Repeat 24 times.

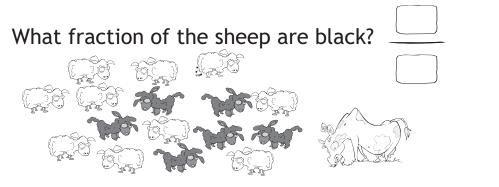
										Тс	oss I	Resu	ılts												Totals
	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	
TTT																									
TTH																									
THT																									
THH																									
HTT																									
HTH																									
HHT																									
HHH																									

Statistics results are better analysed if there are many trials. Collect the data from 4 others who have done the same 24 times 3 coin toss experiment. Then fill in the table below.

		Toss	Resu	.ts		Totals	(	Ratio relative frec	uency)
Outcome	1	2	3	4	5	(frequency)	Fraction	Decimal	Percentage
TTT									
TTH									
THT									
THH									
HTT									
HTH									
HHT									
HHH									

There are 6 black sheep and 10 white sheep in a flock.

What is the ratio of black sheep to white sheep?

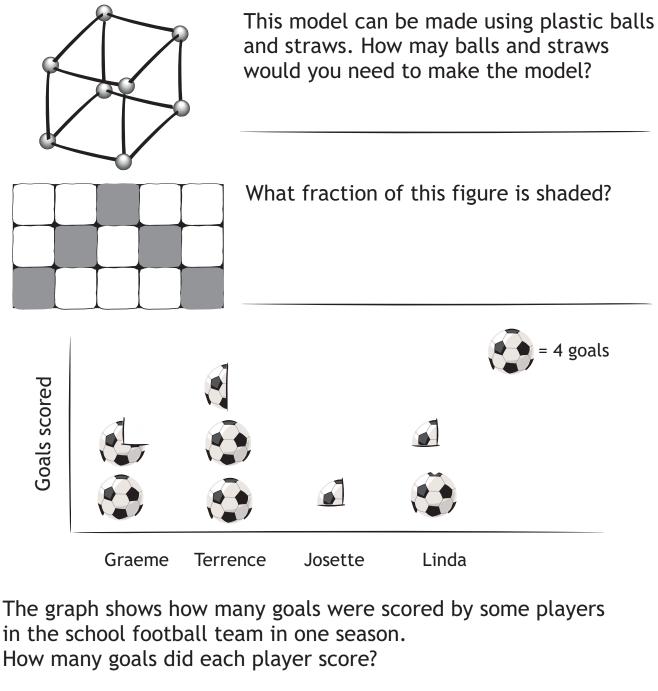


In a bag there are 40 coloured balls. The balls are either black or white. The ratio of white to black balls is 1 : 3.

How many of each colour are there in the bag.

Black ball total = White ball total = Nigel takes a ball out of the bag. What is the probability that it will be black and what is the probability that it will be white? Probability of black ball = Probability of while ball = Imagine this net folded to make a cube and then rolled like a dice. What is the probability that the red face will land facing upright? Red Probability = Yellow Yellow Blue Yellow What is the probability that the yellow face will land facing upright? Red Probability = What is the probability that a colour other than blue will land facing upright? Probability = In a lottery 2 numbers are drawn from the balls above. List all the possible outcomes

# A MIGHTY MATHS TEST



Graeme	Terrence	
Josette	Linda	
If you cut each of the three apples into quarters how many quarters v in total?		ÇÇÇÇ



This shape is made up of 3 squares each with sides 3cm long. What is the perimeter and the area of the shape?



Helen is saving to purchase a washing machine.A new machine costs \$800Helen has saved \$280.How much more money does Helen need to purchase the washing machine?

Perimeter =

Amount needed: \$

Area =



Josh gets on the bus at 3:48 pm and gets off at 4:15 pm. How long is he on the bus?

Time on bus =



What is the hundreds value in the number 1657.4?

Value =



What is three quarters of twelve?

What is one quarter written as a decimal?

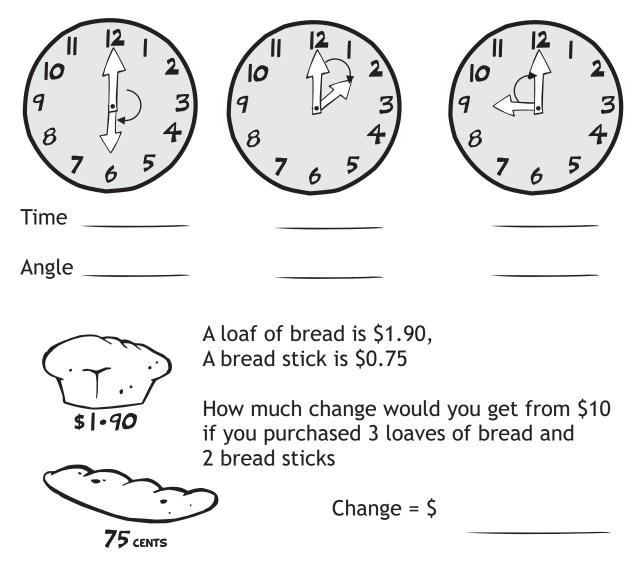


as a decimal =



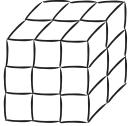
\_ \_

Write down the time and angles formed on each clock.



What operation is needed to make this sum true?

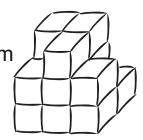
$$\mathbf{5} + \mathbf{16} \qquad \mathbf{\mathcal{B}} = \mathbf{7}$$



This shape is made of a number of 1cm cubes. How many 1 cm cubes are needed to make the shape?

Number of cubes =

The shape has now had a number of 1 cm cubes taken from it. How many cubes were taken?



How much is 10% of 45?

What are the next two numbers in this sequence?

$$5\frac{2}{3}$$
,  $6\frac{1}{3}$ , 7

Jo is holding this card.

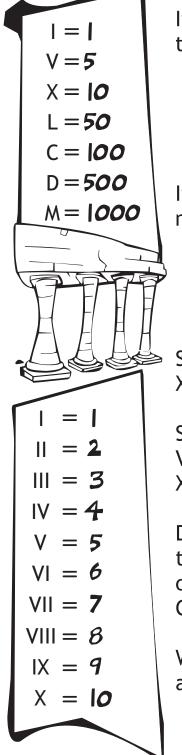
Rose is holding these cards.

Without looking, Jo picks one of Rose's cards. What is the probability that Jo picks a card that matches hers?

```
Probability =
Calculate the following:
                                                                                              -1+9 =
                                                      -8+2 =
          -4+6 =
                                                      7 - 10 = ____
                                                                                                   -\beta - \beta =
       |5 - 9| =
           |0+| \times 5 =
                                                                  |00 - |0 \times 7 =
 >
     Add up all the correct answers and put your score in the box
                                     31 and above: A+ student
     Always strive to be an A+ student.
     Find out where you went wrong. If needed rub 36
     out your answers and try the test again another day.
      40>->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->->40->-->40->-->40->-->40->-->40->-->40->-->40->-->40->-->40->-->40->-->40->-->40->-->40->-->40->-->40->-->40->-->40->-->40->-->40->-->40->-->40->-->40->-->40->-->40->-->40->-->-->40->-->
```

# ROMAN NUMERALS

Roman numerals are written as combinations of the seven letters in the table below. The letters can be written as capitals (XIV) or using lower-case (xiv). There are never any more than 3 consecutive letters e.g III = 3, IV = 4, XXX = 30, XL = 40.



If smaller numbers follow larger numbers, the numbers are added.

VIII 5+3=8LX 50+10=60CVI 100+5+1=106

If a smaller number comes before a larger number, the smaller number is subtracted.

IX |0-| = 9XIV |0+5-| = 14XC |00-|0 = 90

Subtract only powers of ten, such as I, X, or C. XLV = 45 not VL

Subtract only a single letter from a single numeral.  $VIII = \mathcal{B}$  not IIX  $XIX = I\mathcal{P}$  not IXX.

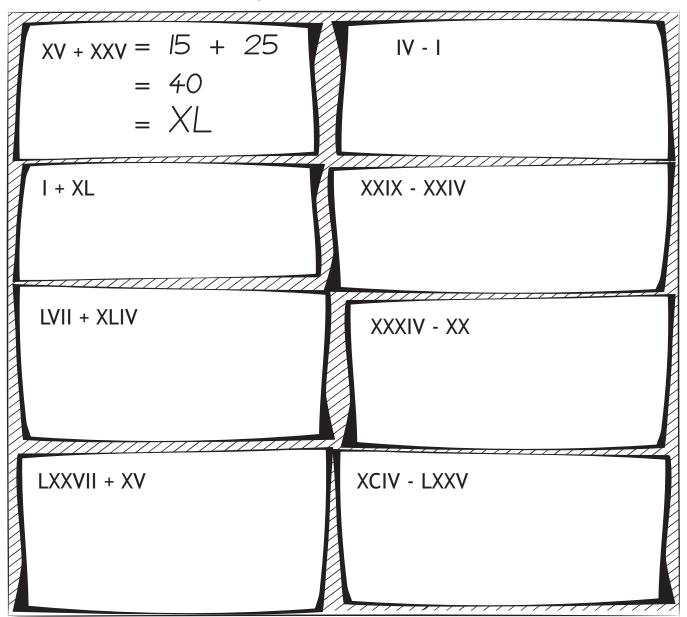
Do not subtract a letter from another letter more than ten times greater. This means that you can only subtract I from V or X, and X from L or C. CXCIX = I99 not MIM

When writing a Roman Numeral convert one digit at a time. 974 = 900 + 70 + 4= CM + I XX + IV

Complete the table.

= 14	= 61
XIX =	LXX =
XXVI =	= 82
= 39	= 90
= 45	XCIX =
LIV =	MMVIII =

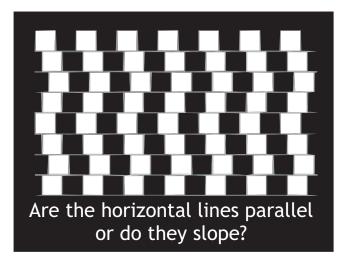
Complete these sums. Write the answer in Roman Numerals. The first one is done for you.

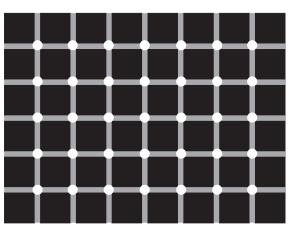


# OPTICAL ILLUSIONS



Is it a face or is it a secret word?

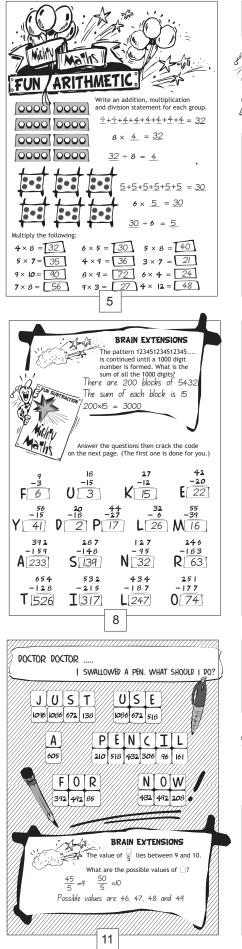


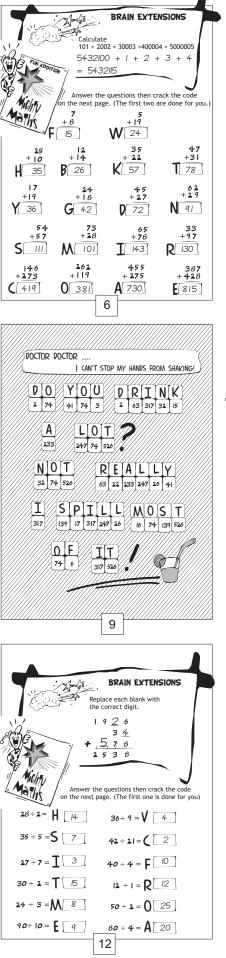


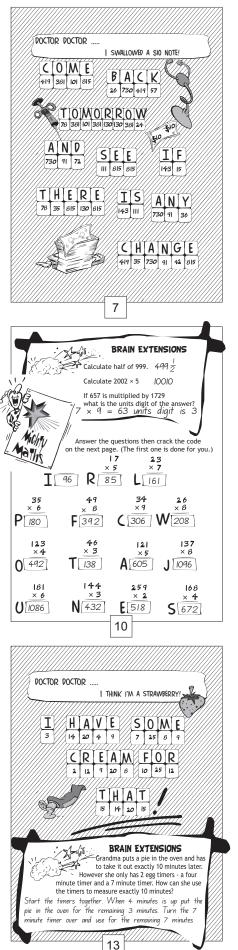
Stare and count the black balls.



Is she old or young?

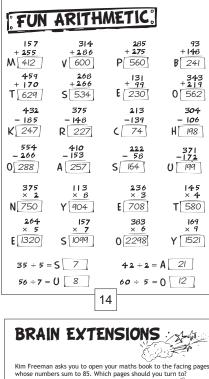


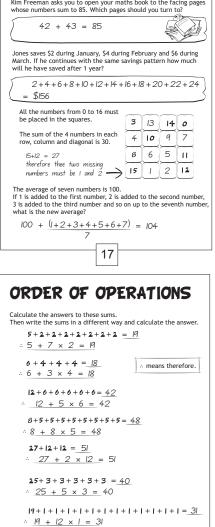


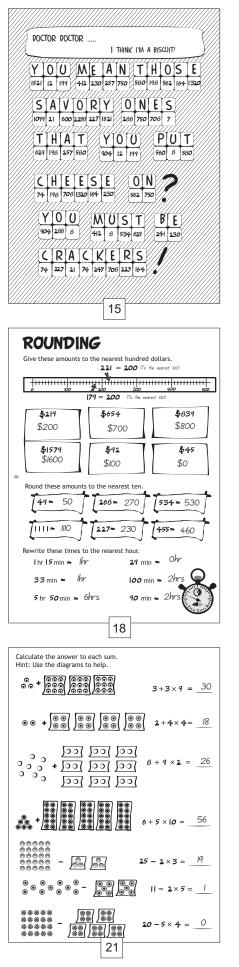


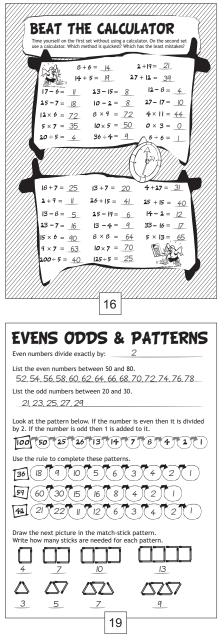
Mahobe Resources (NZ) Ltd

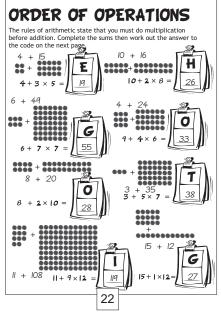
Master Mathematician









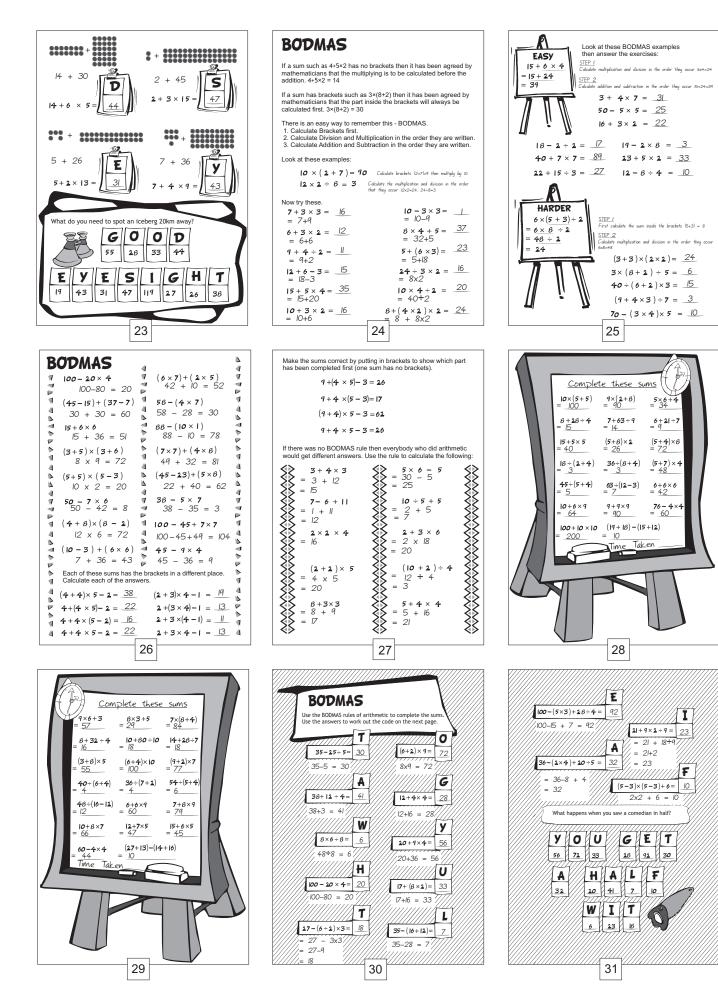


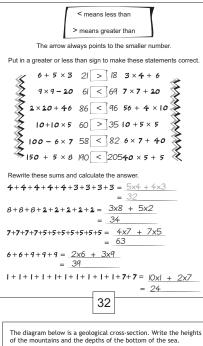
Master Mathematician

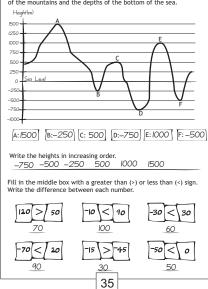
 $9 + 6 \times 8 = 57$ 

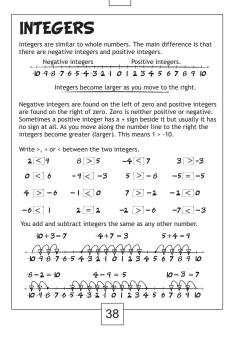
9+8+8+8+8+8+8=57

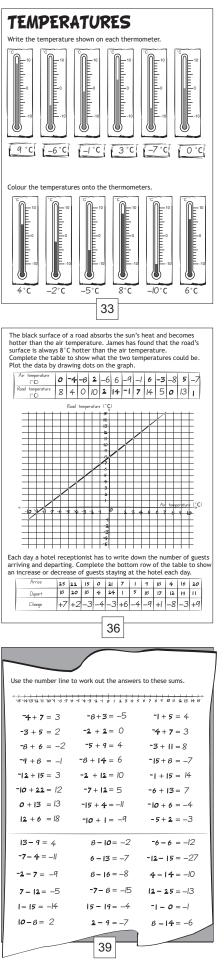
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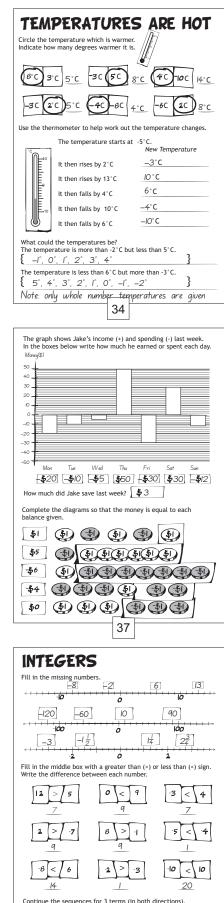












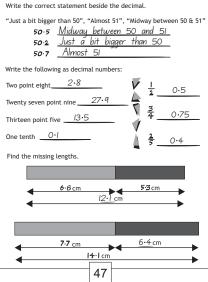
<u>-15</u>, <u>-12</u>, <u>-9</u>, 6, 3, 0, 3, 6, <u>9</u>, <u>12</u>, <u>15</u>

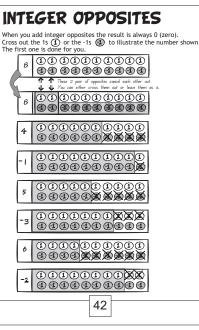
-26 , -20 , -14 , -8 , 2, 4, 10, -16 , 22 , 28

INTEGER OPPOSITES
<pre></pre>
When you add integer opposites the result is always zero. Add these integer opposites.
-2+2=0 $-4+4=0$ $-7+7=0$
2+(-2) = 0 $4+(-4) = 7 + (-7) = 0$
-q + q = 0 $q + (-q) = 0$ $-5 + 5 = 0$
Use the adding integer rule to add these add these integers.
-3 + 5 + 3 = 5 $-6 + 8 + 6 = 8$
-1 + 4 + 1 = 4 $-9 + 7 + 9 = 7$
What do these diagrams represent? Remember, integer opposites sum to equal zero. Therefore If you have the same number of 1s as -1s then you have zero.
100 -4 110010 2
11114 -6 9999999999999999999999999999
1 _9 4444444 1 0
41

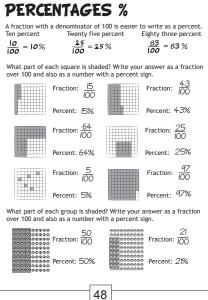
#### Use the diagrams to help add these integers - remember, integer opposites sum to equal zero. If you have the same number of 1s as -1s then you have zero. $\beta + (-\beta) = 0$ 6 + (-10) = -4000000000000 11 2 + (-9) = -7<u>.</u> 5 + (-3) = \_2 (1)4 + (-2) = \_2 11 7+(-4) = 3 $\tilde{\textcircled{0}}$ 9 + (-1) = 810 + (-7) = 30000000 44

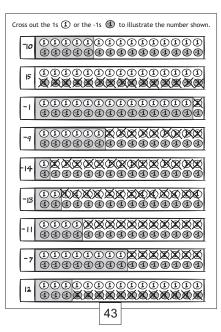


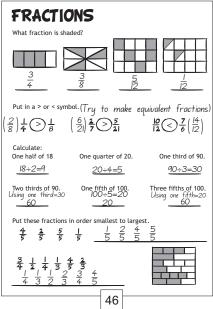


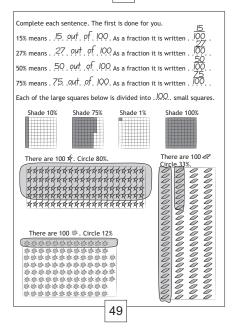


Use the diagrams to help subtract these NE Remember, integer opposites sum to equal same number of 1s as -1s then you have ze	zero. If you have the
()()()()()()() ()()()()()()()()()()()()	5 - (~5) = <u>IO</u>
11111 22	3-(-2) = 5
1111111 ®	7-(-1) = 8
0000000000 000	6 - (-3) = _9
***	<b>-4-</b> ( <b>-4</b> ) = _0
***	<b>-7</b> -( <b>-</b> I) = <u>-6</u>
****	<b>-</b> II <b>-</b> ( <b>-</b> 4) = <u>-7</u>
0088888	$-\beta - (-\beta) = -2$
<b>333</b>	<b>-</b> 5 - (-2) = <u>-3</u>
45	



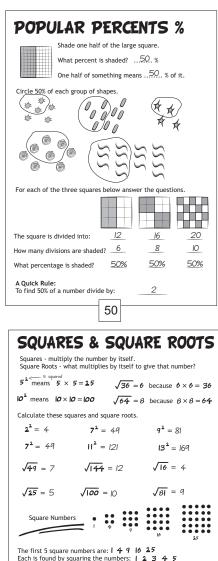






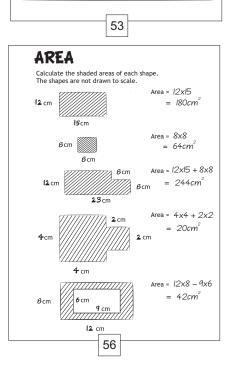
#### INTEGER ARITHMETIC

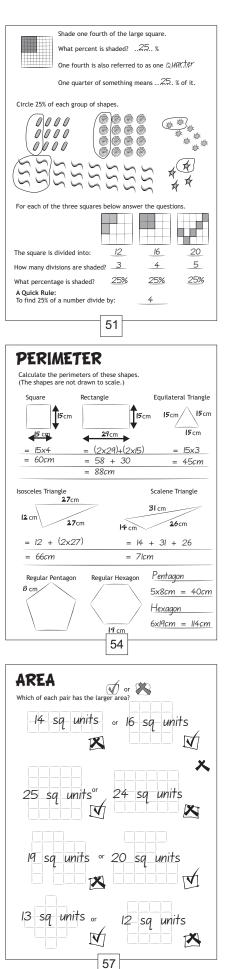
Master Mathematician

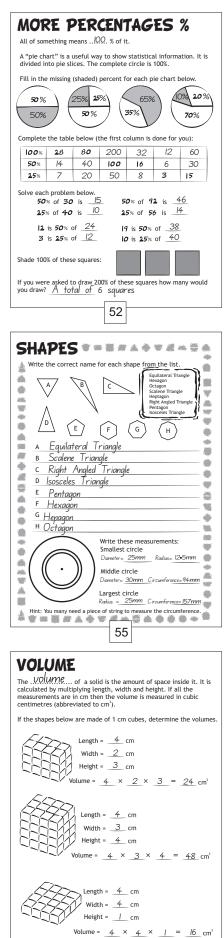


Write the first 15 square numbers.

1 4 9 16 25 36 49 64 81 100 121 144 169 196 225

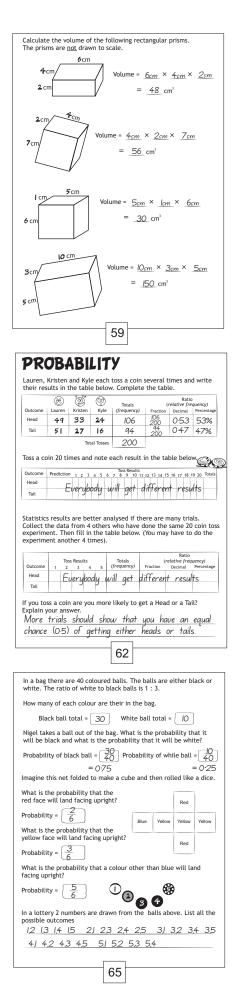


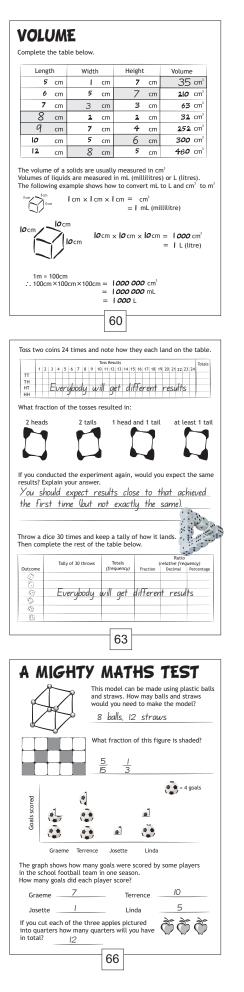


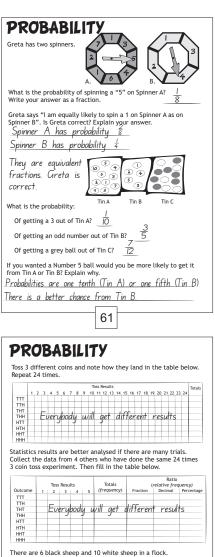


Master Mathematician

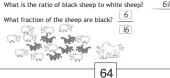
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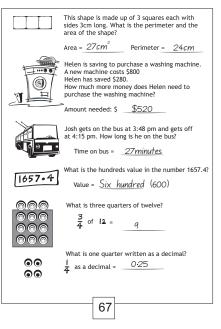


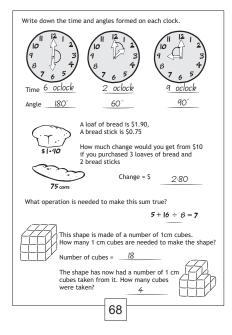




What is the ratio of black sheep to white sheep? 6:10







How much is 10% of 45? 4.5
What are the next two numbers in this sequence?
$5\frac{2}{3}$ , $6\frac{1}{3}$ , 7, $7\frac{2}{3}$ , $8\frac{1}{3}$
Jo is holding this card.
Rose is holding these cards. $\bullet$ $\bullet$ $\bullet$ $\bullet$ $\bullet$ $\bullet$
Without looking, Jo picks one of Rose's cards. What is the probability that Jo picks a card that matches hers?
Probability = $\frac{2}{5}$
Calculate the following:
-4+6=2 $-6+2=-6$ $-1+9=8$
5 - 9  = 6 $7 -  0  = -3$ $-8 - 8 = -16$
10+1×5 = 15 100-10×7 = 30
\$
Add up all the correct answers and put your score in the box
31 and above: A+ student
Always strive to be an A+ student. Find out where you went wrong. If needed rub <b>36</b>
69

Complete the table.	
XIV = 14	X  = 61
XIX = 19	LXX = 70
XXVI = 26	$\ XXX\  = 82$
XXX X = 39	XC = 90
XLV = 45	XCIX = 99
LIV = 54	MMVIII = 2008
Complete these sums. Write the The first one is done for you.	answer in Roman Numerals.
xy + xxy = 15 + 25	IV-I = 4 - 1
= 40	= 3
= XL	=
1 + XL = 1 + 40	$xxix \cdot xxiv = 29 - 24$
= 41	= 5
= XLI	= V
LVII + XLIV = 57+44	$xxxiv \cdot xx = 34 - 20$
= 101	= 14
= C1	= XN
LXXVII + XV = 77 + 15	xciv - lxxv = 94 - 75
= 92	= 19
= XCII	= XIX
	1
	71

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#### 

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